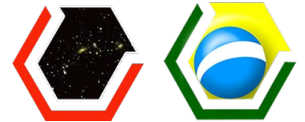


Describing the thick disk and halo of the Galaxy as seen by the Dark Energy Survey

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MWWG-DES



In this webinar

- I am going to discuss the work of comparing Hess diagrams (HDs) of TRILEGAL models to DES Y3 Gold 2.2 stellar sample;
- A bit of technical details about the comparisons;
- The MW model adopted and the best-fitting parameters of the thick disk and halo components with DES data;
- Perspectives about the future applications of the MWfitting pipeline (SDSS, GAIA);

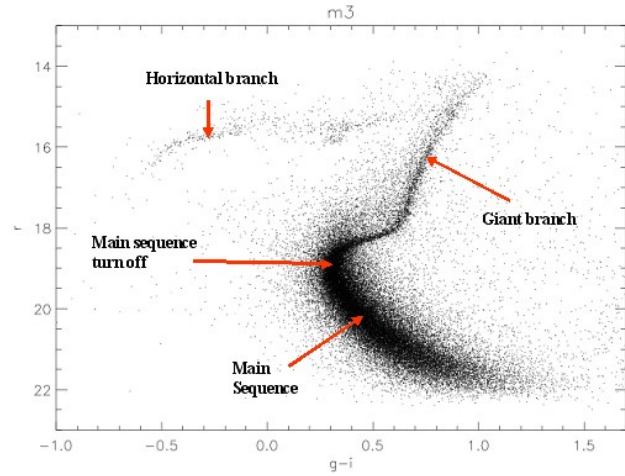
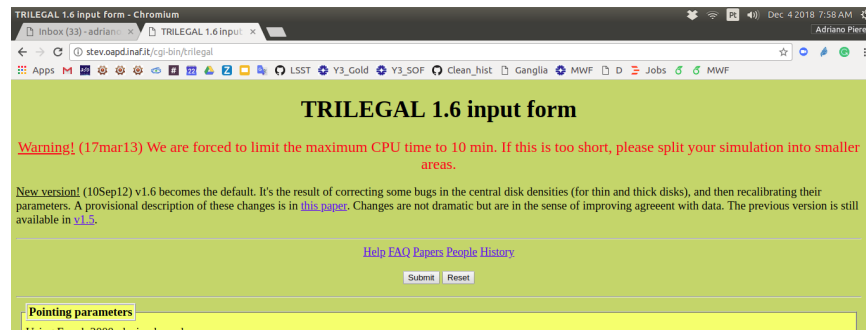
Method and models



Aims and Methods



- Trilegal: Build the stellar content of each component of the MW;
- Each MW component follows a model wrt density of stars;
- IMF, SFH and AMR is set to each MW component (bulge, disks and halo);
- Projection of the field shows how it is seen from Sun position;
- Stellar evolutionary models are account;
- Similar to online version of Trilegal;

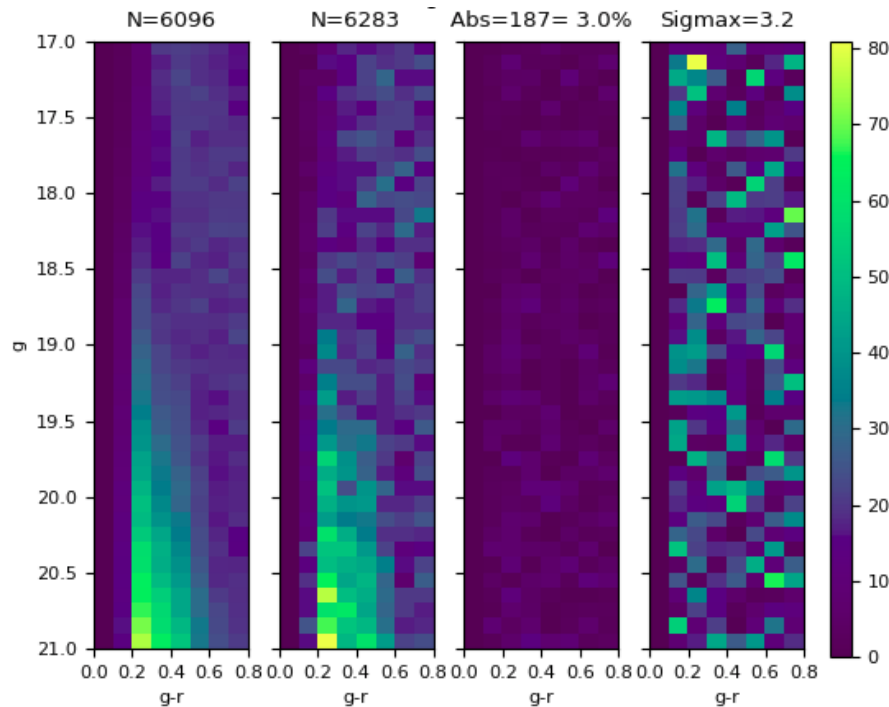




Hess Diagram



- The comparison model-data is made through Hess diagrams (figure);
- Figure: model (1), data (2), absolute difference (3), Poissonian significance of the bin (4);
- The MW model is accounted by the Hds of the cells (HealPix pixel in the sky);





Adopted models for MW components



Density (mass) profiles:

- Thin disk: $\text{sech}^2(h/h_z)$, $\exp(R/R_e)$;
- Thick disk: $\exp(R/R_e)$, $\exp(h/h_z)$;
- Halo: oblate power-law

$$\rho^{\text{halo}} = \rho_{\odot}^{\text{halo}} \left(\frac{r_{\odot}}{\sqrt{R^2 + (z/q)^2}} \right)^n$$

with $\rho^{\text{halo}}(R_{\odot}, 0, z_{\odot}) = \rho_{\odot}^{\text{halo}}$

Formula	Symbol	Meaning	Unit	Initial value	Final value*
Dust layer					
$\rho^{\text{dust}} = A^{\text{dust}} \exp(h/h_z^{\text{dust}})$	A_V^{∞}	total extinction at infinity	-	SFD value	fixed
with $\int_{\ell=0}^{+\infty} \rho^{\text{dust}} d\ell = A_V^{\infty}$	h_z^{dust}	dust scale height	pc	110	fixed
Thin disk					
$\rho^{\text{thin}} = A^{\text{thin}} \text{sech}^2(h/h_z^{\text{thin}}) \exp(R/h_R^{\text{thin}})$	$\Sigma_{\odot}^{\text{thin}}$	local mass surface density	$M_{\odot} \text{ pc}^{-2}$	55.41	fixed
with $h_z^{\text{thin}} = h_{z,0}^{\text{thin}} + (1 + t/t_{\text{incr}}^{\text{thin}})^{\alpha}$	h_R^{thin}	thin disk scale length	pc	2913	fixed
	$R_{\text{max}}^{\text{thin}}$	maximum radius	kpc	15	fixed
	$h_{z,0}^{\text{thin}}$	scale height for youngest stars	pc	94.7	fixed
and $\int_{h=-\infty}^{+\infty} \rho^{\text{thin}} dz \Big _{\odot} = \Sigma_{\odot}^{\text{thin}}$	$t_{\text{incr}}^{\text{thin}}$	timescale for increase in h_z	Gyr	5.55	fixed
	α	exponent for increase in h_z	-	1.67	fixed
Thick disk					
$\rho^{\text{thick}} = A^{\text{thick}} \exp(h/h_z^{\text{thick}}) \exp(R/h_R^{\text{thick}})$	$\Sigma_{\odot}^{\text{thick}}$	local mass surface density	$10^{-3} M_{\odot} \text{ pc}^{-2}$	4.98	4.08 ± 0.03
with $\int_{h=-\infty}^{+\infty} \rho^{\text{thick}} dz \Big _{\odot} = \Sigma_{\odot}^{\text{thick}}$	h_R^{thick}	thick disk scale length	pc	2163	2256 ± 5
	$R_{\text{max}}^{\text{thick}}$	maximum radius (fixed)	kpc	15	fixed
	h_z^{thick}	scale height	pc	754.9	819.9 ± 2.0
Halo					
$\rho^{\text{halo}} = \rho_{\odot}^{\text{halo}} \left(\frac{r_{\odot}}{\sqrt{R^2 + (z/q)^2}} \right)^n$	$\rho_{\odot}^{\text{halo}}$	local mass space density	$10^{-5} M_{\odot} \text{ pc}^{-3}$	4.36	5.35 ± 0.04
with $\rho^{\text{halo}}(R_{\odot}, 0, z_{\odot}) = \rho_{\odot}^{\text{halo}}$	q	axial ratio z/x (oblateness)	-	0.683	0.629 ± 0.002
	n	exponent	-	2.398	2.621 ± 0.006
Bulge					
$\rho^{\text{bulge}} = \rho_{GC}^{\text{bulge}} \frac{\exp(-a^2/a_0^2)}{(1 + a/a_0)^{1.8}}$	ρ_{GC}^{bulge}	space density at GC	$M_{\odot} \text{ pc}^{-3}$	406	fixed
with $\rho^{\text{bulge}}(0, 0, 0) = \rho_{GC}^{\text{bulge}}$	a_m	scale length	pc	2500	fixed
	a_0	truncation scale length	pc	95	fixed
with $a = (x'^2 + y'^2/\eta^2 + z'^2/\zeta^2)^{1/2}$	η, ζ	1- γ : ζ scale ratios	-	0.68, 0.31	fixed
and x', y' rotated by ϕ_0 , w.r.t. x, y	ϕ_0	angle w.r.t. Sun-GC line	deg ($^{\circ}$)	15	fixed



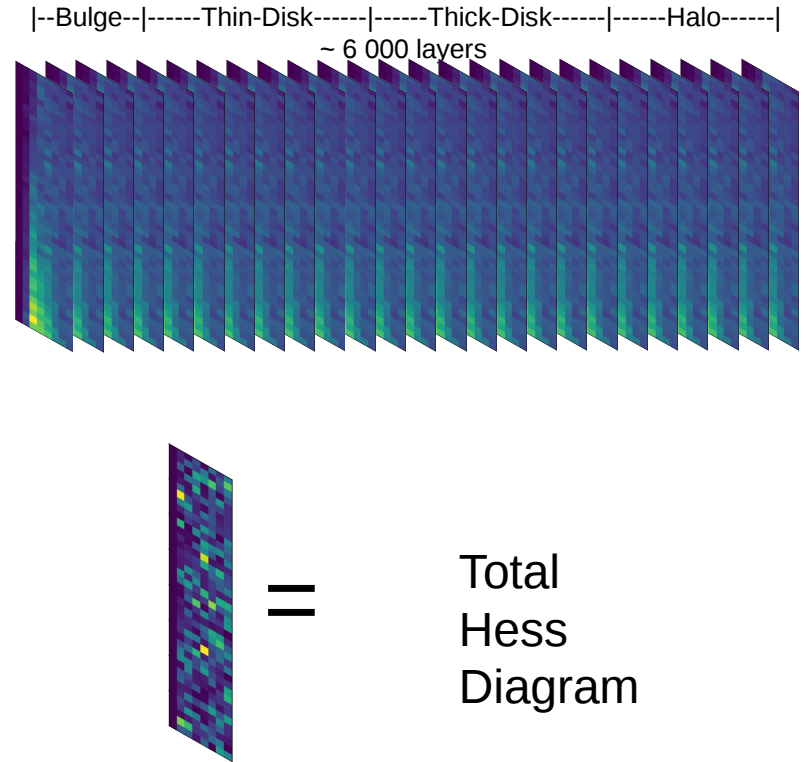
Method



- Comparing Hess Diagrams (HDs) from real data to models, guided by likelihood (Eidelman+2004);

$$-2 \ln \lambda(\theta) = 2 \sum_{i=1}^N \left(\nu_i(\theta) - n_i + n_i \ln \frac{n_i}{\nu_i(\theta)} \right)$$

- Extinction is applied in models using Schlegel maps (average and std. deviation) to each cell in the sky;
- Partial HDs (one to each cell) are carried out (with input MW parameters), each partial HD accounts the contribution of a bin in distance of each MW component (bulge, halo, thin and thick disks);

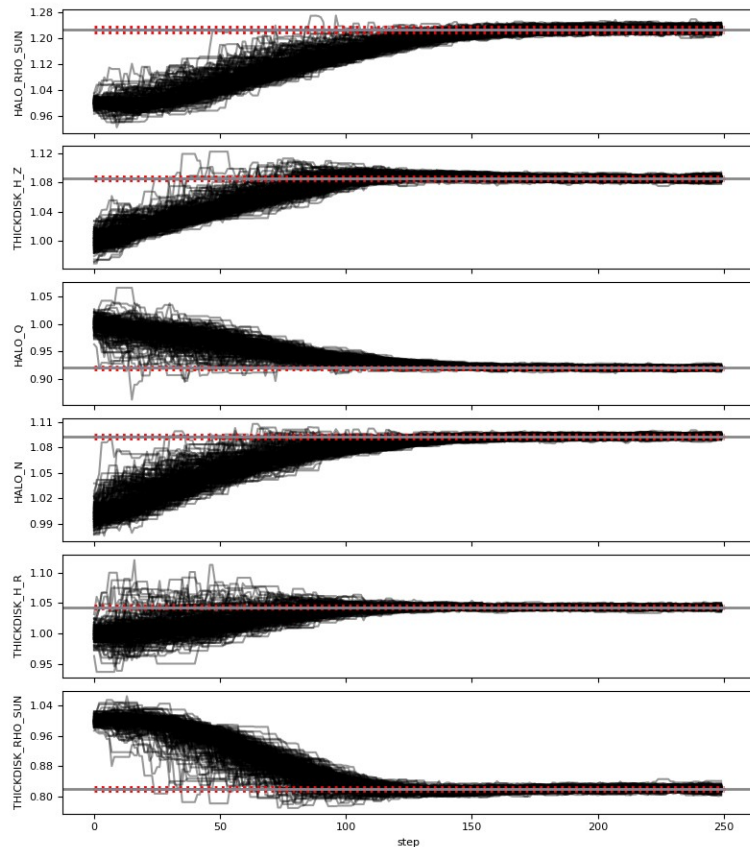




Method (posterior likelihood)



1. The partial Hds are build as many layers of a FITS file → each layer is the contribution of a bin in distance of specific MW component;
 2. The MCMC approach asks a new model for the MW (by small changes in the 'main' model);
 3. Based on the partial HD, Trilegal apply small changes in the partial Hess diagrams and sum all the partial Hds in a total HD (to each cell);
 4. The likelihood of the MW model describes the data is given by the sum the likelihood to every cell;
 5. Steps 1-4 are repeated until final step of MCMC;
- Convergence: $R_c < 1.003$ [1.00 (best) < $R_c < 1.1$ (acceptable)];



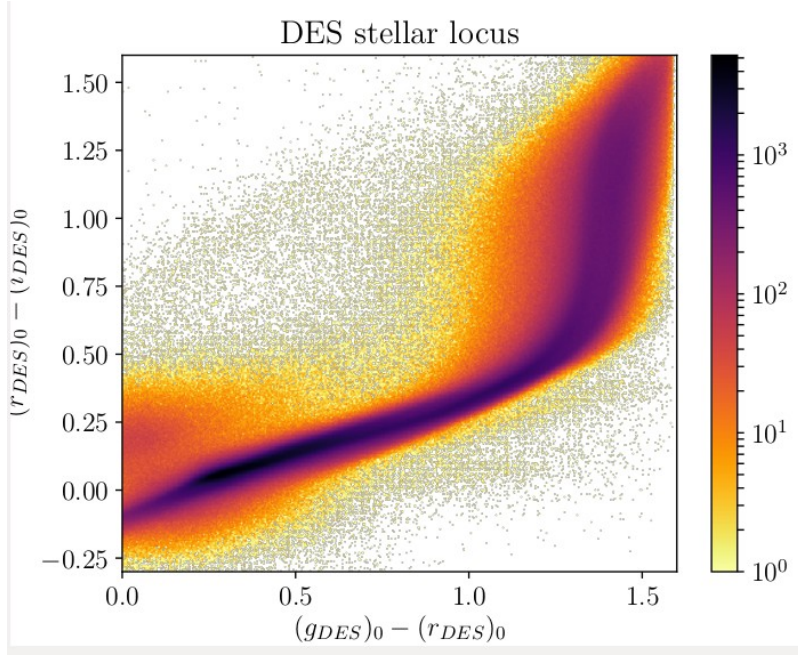
[DES-Y3 Gold 2.2] Data

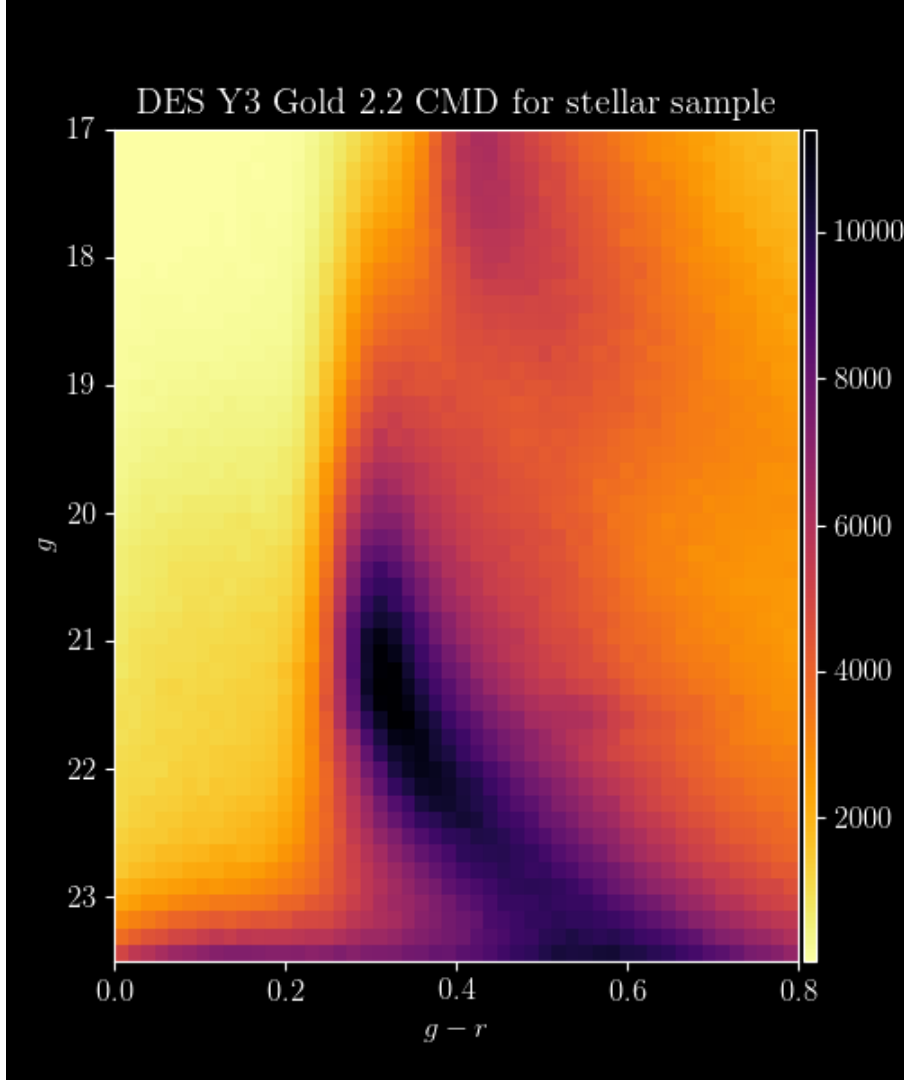


[DES-Y3 Gold 2.2] Data



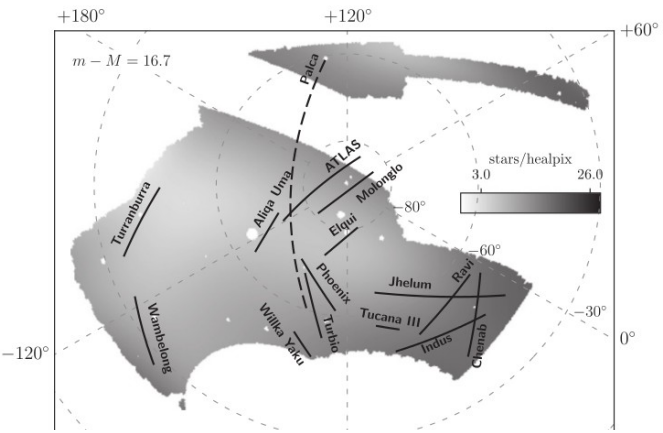
- DES-Y3 Gold 2.2 stars;
- S/G separation: EXTENDED_CLASS_MASH_SOF = 0 and 1 to the full range of magnitudes;
- SPREAD_MODEL (i) for bright stars ($g < 18$);
- Bright limit in the comparison: $17 < g < 21$, $0 < g-r < 0.8$;
- Color-color diagram for filtered in stars (right);





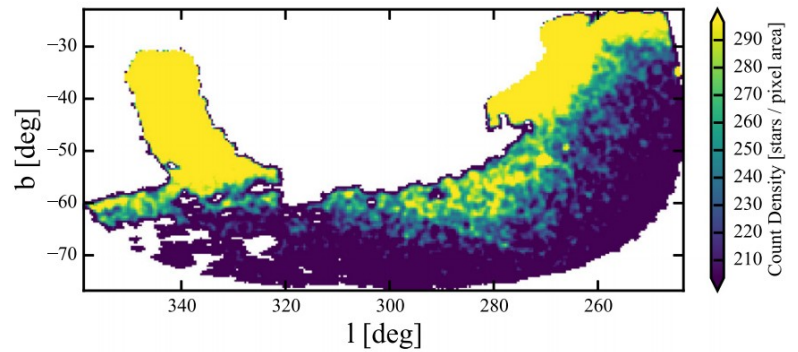
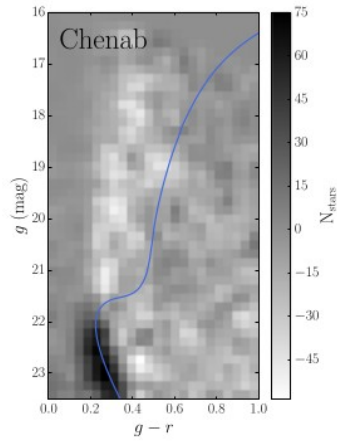
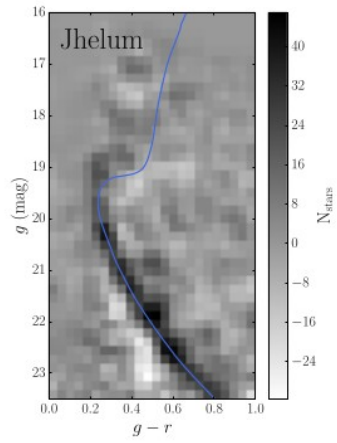
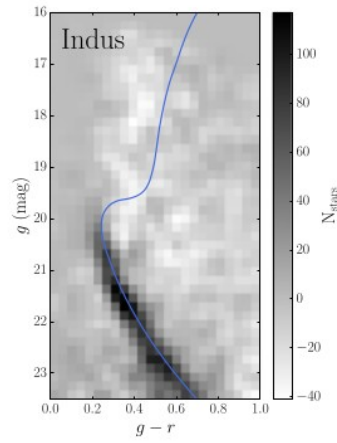
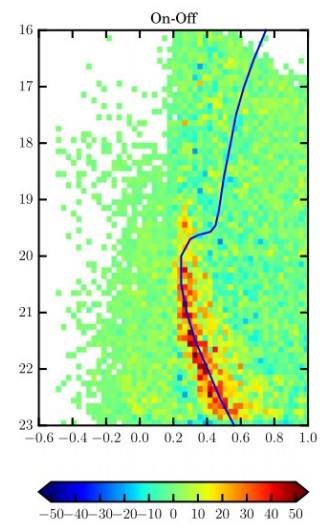


[DES-Y3 Gold 2.2] Data



- Many streams have very-low densities (Shipp+2018, B&W figures) when compared to MW fields ($\sim 20k$ stars) and/or are very distant ($g_{MSTO} > 21$);

- Eri-Phe over density $g_{MSTO} \sim 20$ (colored figures);

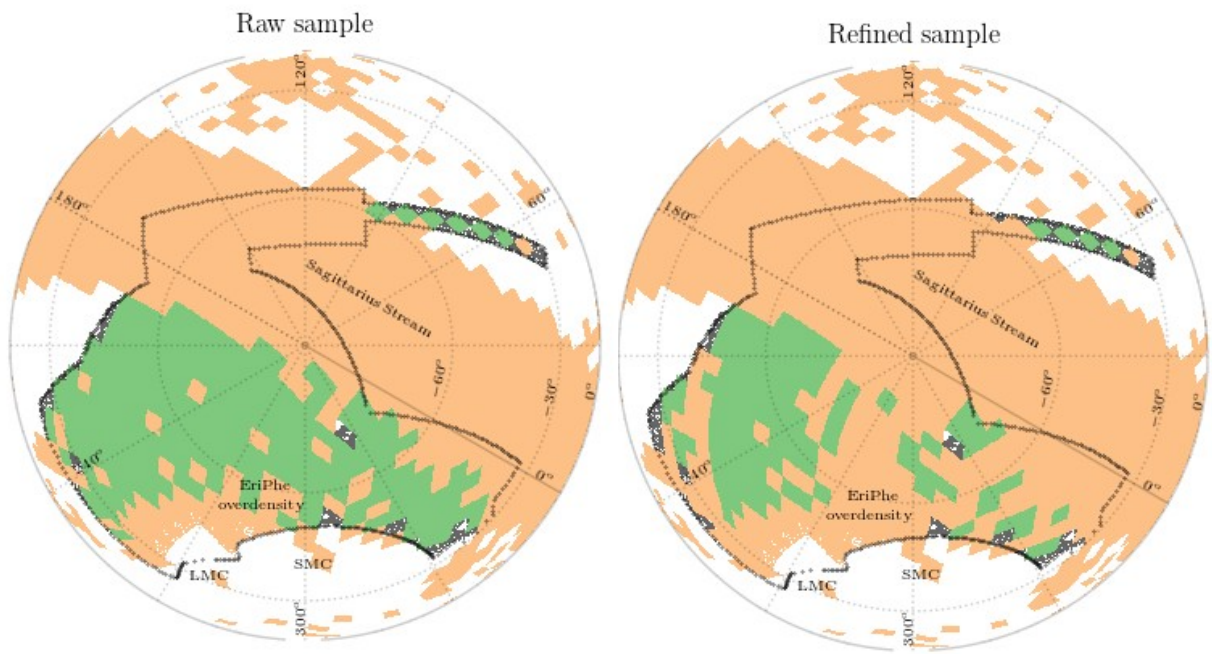




[DES-Y3 Gold 2.2] Data



- Two samples of DES data are compared to models;
- Raw sample: 2 315 sq. deg.;
- Refined sample: 1 256 sq. deg.;
- Green: cells applied in the comparison, orange: masked cells, white: cells not enough sampled (coverage < 50%);



Results with DES data



MWfitting results with DES data



<i>Parameter</i>	<i>Unit</i>	MWFITTING		Jurić et al. 2008	de Jong et al. 2010
		<i>Raw sample</i>	<i>Refined sample</i>		
ThickDisk h_e	pc	$819.0 \pm 7.0 \pm 5.4$	$824.0 \pm 7.0 \pm 5.4$	743 ± 150	750 ± 70
ThickDisk R_e	pc	$2293 \pm 32 \pm 22$	$2284 \pm 166 \pm 22$	3261 ± 650	4100 ± 400
ThickDisk ρ ($R=R_\odot$)	$\times 10^{-3} M_\odot \text{pc}^{-2}$	$4.16 \pm 0.10 \pm 0.12$	$4.02 \pm 0.15 \pm 0.12$	7.53 ± 0.75	5.01 ± 1.30
Halo n	-	$2.590 \pm 0.025 \pm 0.018$	$2.625 \pm 0.026 \pm 0.018$	2.77 ± 0.02	2.75 ± 0.07
Halo q	-	$0.637 \pm 0.009 \pm 0.009$	$0.618 \pm 0.014 \pm 0.009$	0.64 ± 0.01	0.88 ± 0.03
Halo ρ ($R=R_\odot$)	$\times 10^{-5} M_\odot \text{pc}^{-3}$	$5.25 \pm 0.10 \pm 0.12$	$5.54 \pm 0.12 \pm 0.12$	2.95 ± 0.74	6.31 ± 0.77

Radial scale for thick disk agrees to Bovy+2016 (2.2 ± 0.2 kpc) using APOGEE stars;

Process takes ~ 30 h in a single machine (MCMC takes 99% of time) via multiprocessing and ~ 23 h in multiple machines/MPI parallelization;



MWFitting results with DES data

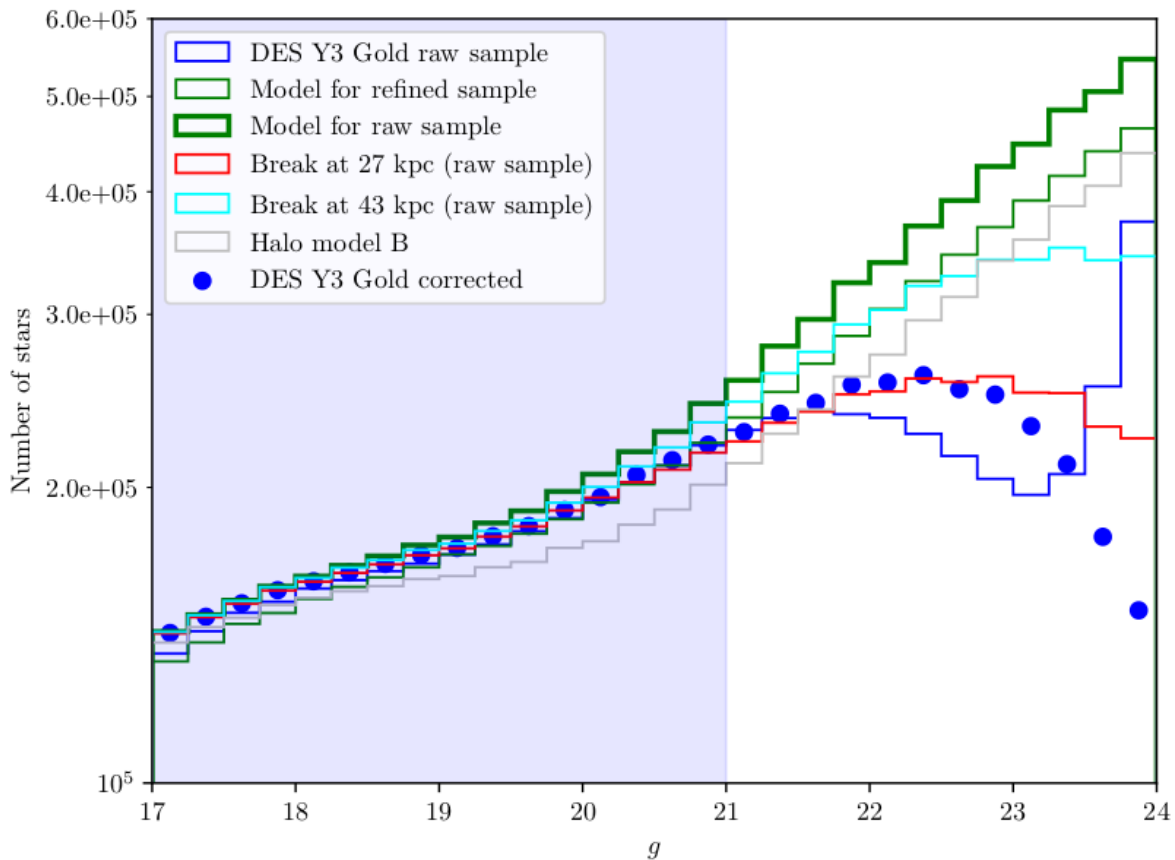


- Statistical errors (dispersion of the sample of cells) from jackknife block method taking into account the standard deviation of the sample;
- Systematic errors (errors in recovering the model) from validation tests (below);

<i>Parameter</i>	<i>Unit</i>	<i>True Value</i>	<i>Initial Guess</i>		<i>Best-fitting</i>		$\frac{ Best-True }{True}$ (%)		$\frac{Best-True}{\sigma}$	
			A	B	A	B	A	B	A	B
ThickDisk h_e	pc	754.9	1123.4	512.1	$750.7^{+1.8}_{-1.8}$	$748.9^{+1.7}_{-1.9}$	0.6	0.8	-2.3	-3.0
ThickDisk R_e	pc	2163	2722	1613	2156^{+12}_{-6}	2157^{+6}_{-6}	0.3	0.3	-0.7	-1.0
ThickDisk ρ ($R=R_\odot$)	$\times 10^{-3} M_\odot pc^{-2}$	4.98	6.16	6.76	$5.07^{+0.04}_{-0.04}$	$5.08^{+0.04}_{-0.03}$	1.9	2.1	+2.3	+2.7
Halo n	-	2.398	3.168	2.715	$2.411^{+0.008}_{-0.006}$	$2.415^{+0.006}_{-0.006}$	0.5	0.7	+1.9	+2.8
Halo q	-	0.683	0.820	0.519	$0.687^{+0.005}_{-0.003}$	$0.680^{+0.002}_{-0.002}$	0.6	0.4	+1.0	-1.5
Halo ρ ($R=R_\odot$)	$\times 10^{-5} M_\odot pc^{-3}$	4.36	5.96	3.81	$4.41^{+0.03}_{-0.04}$	$4.49^{+0.05}_{-0.04}$	1.1	3.0	+1.4	+2.6

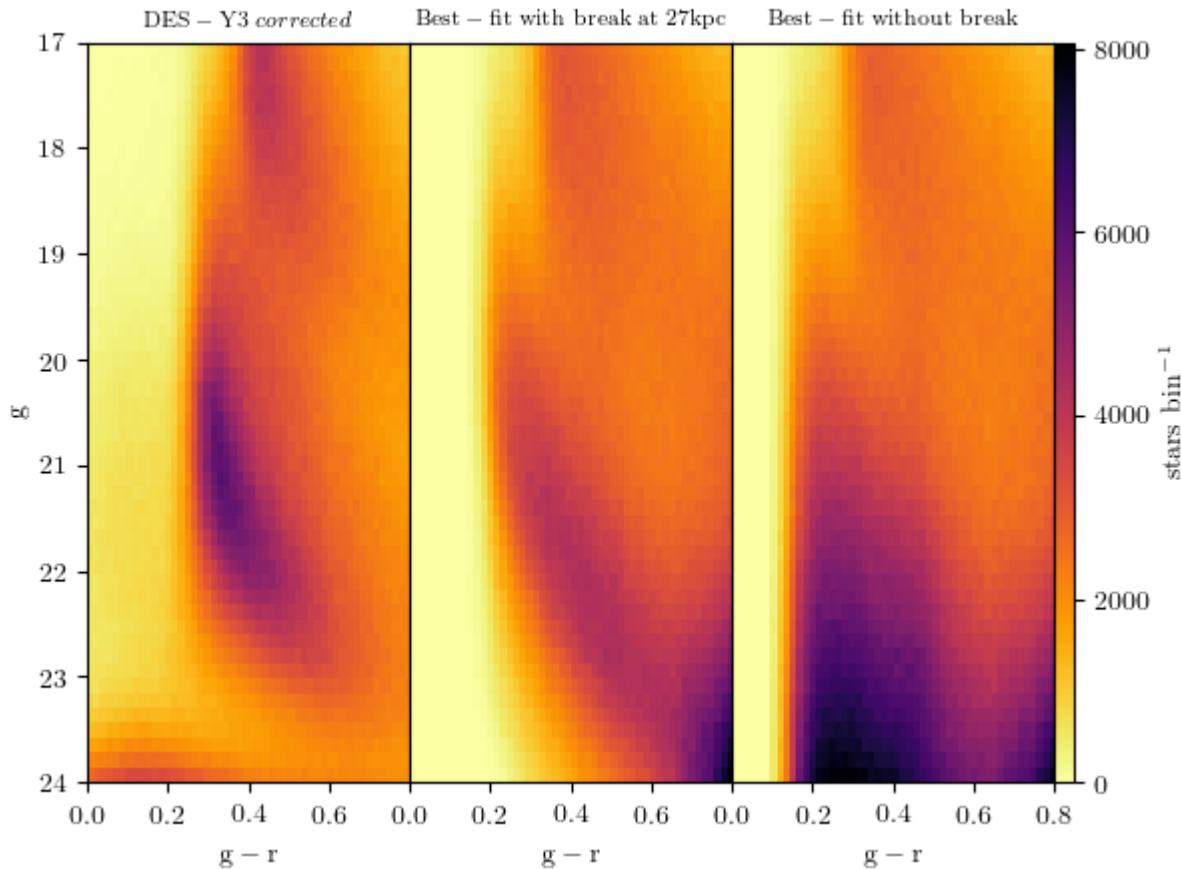


MWFitting results



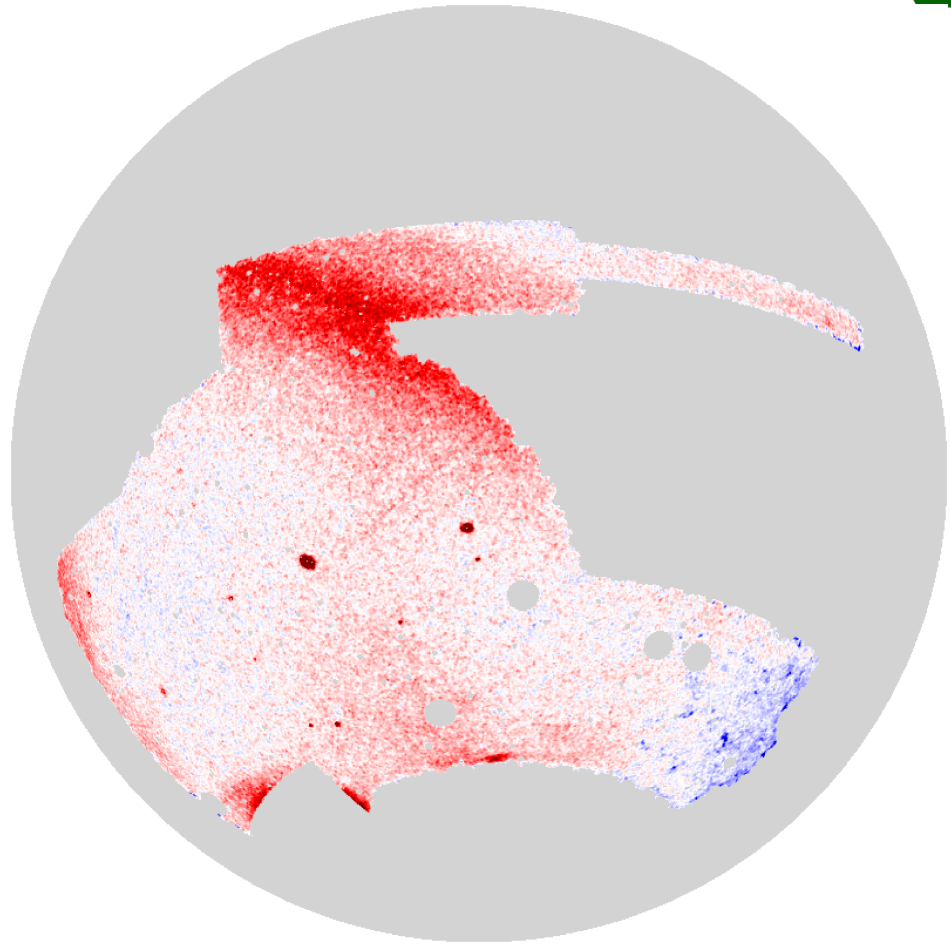
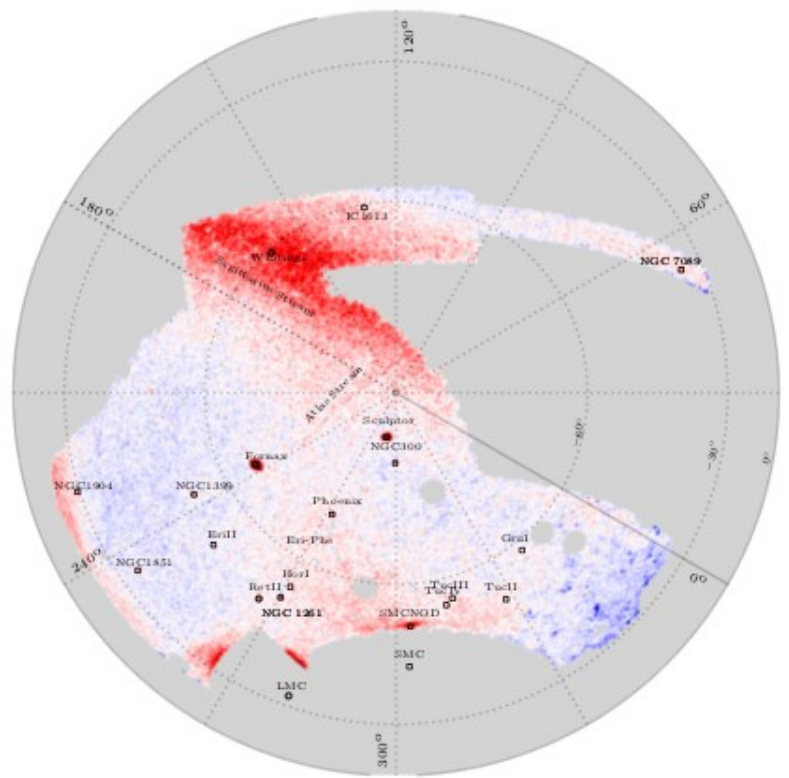


MWFitting results





Simulations for raw and refined models



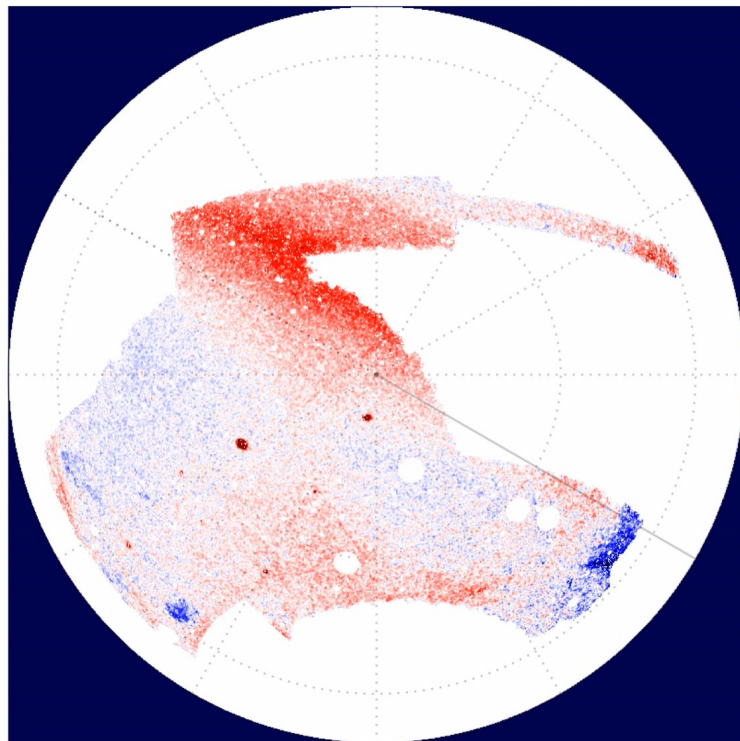


Concluding remarks regarding DES data



- MWFitting effectively offers a robust way to fit and simulate the Galactic components;
- Evidence for a power-law with break in index $\sim 27\text{kpc}$ to describe halo density profile;
- Code is able to fit (tested and working!) more than one survey, more than one color, more halo models...
- The draft is in the (DES) final reader stage;

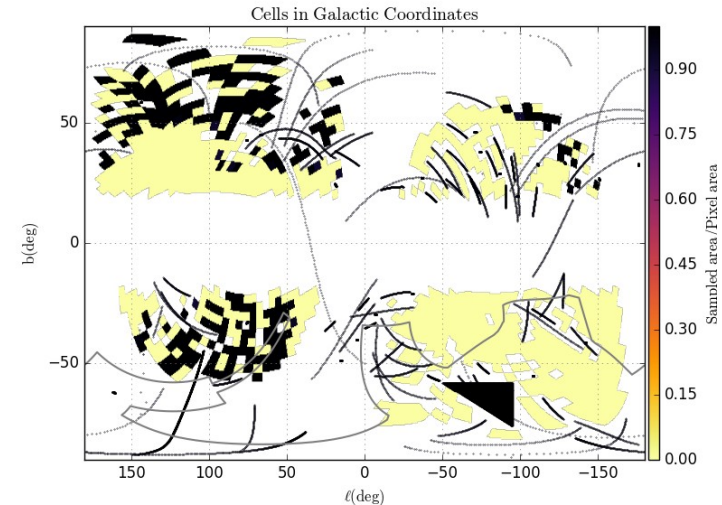
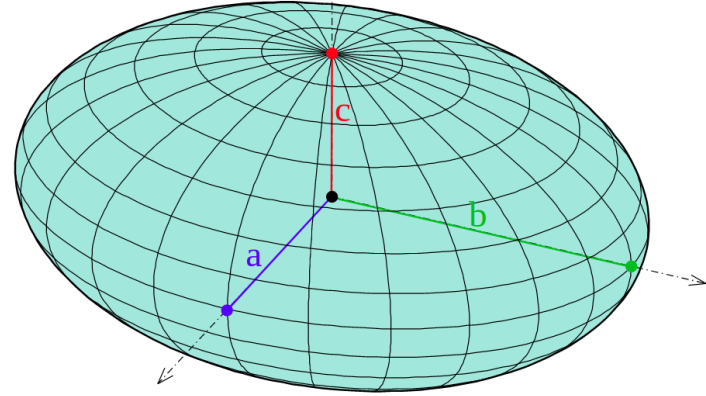
DES data – model for $(m - M)_0 = 16.3$





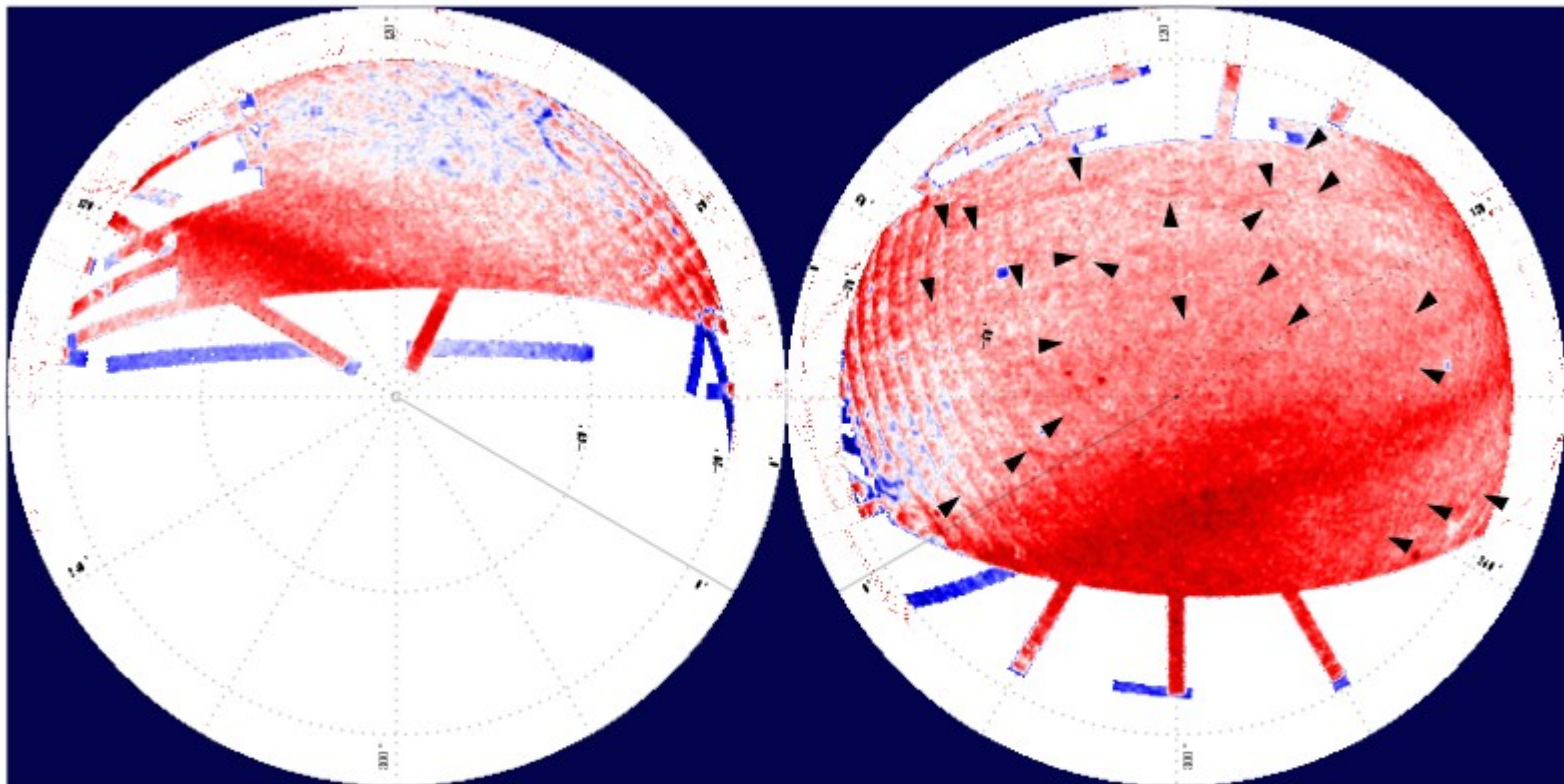
Preliminary tests with SDSS data

- SDSS covers Northern and Southern Galactic hemispheres;
- Halo modelled by triaxial spheroid (a, b and c) with the **a** axis displaced by ϕ (azimuthal angle, counterclockwise) and δ (towards north pole) regarding the Sun position;
- Fig. (bottom): 2600 square degrees compared to Trilegal models;
- Low triaxiality ($a/b = 1.05 \pm 0.02$);
- ϕ and θ angles indicate major axis points to a region between LMC and SMC;
- Similarity to Gaia-Enceladus galaxy?





SDSSDR14data - model(starsarcmin⁻²)





Perspective and concluding remarks



- First paper presenting the pipeline is ready (with DES comparison)!
- Break in the power law index is a need;
- Pan-STARRS and 2MASS are two examples of available data in LineA archives;
- SDSS comparison would provide a simulation down to $g=23$ as a public deliverable product;
- Gaia stars present information in 7D (position, velocities and metalicity) and down to $G \sim 21$;
- Trilegal provides kinematic information about stars and that is very useful to detect substructures even in the position-velocity space;

Thank you!

Questions?

