

# COSMOLOGY WITH THE SKA

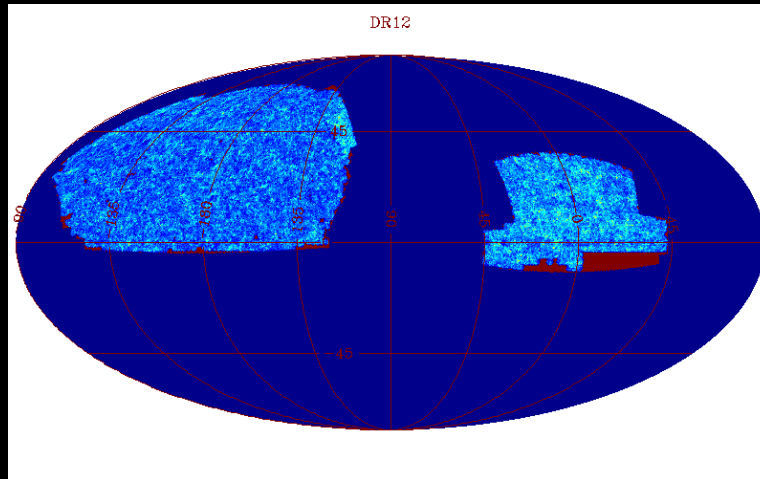
Roy Maartens

3 March 2016



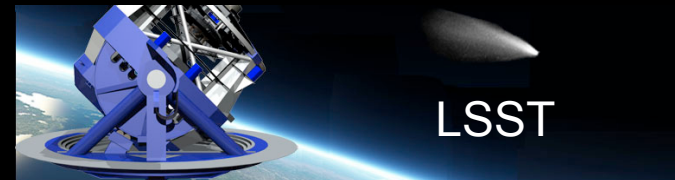
# HUGE GALAXY SURVEYS – THE NEXT FRONTIER

State-of-the-art galaxy surveys today (BOSS, DES)



BOSS sky coverage

The next generation of surveys – SKA, Euclid, LSST, ... – will deliver much greater volume and thus precision.

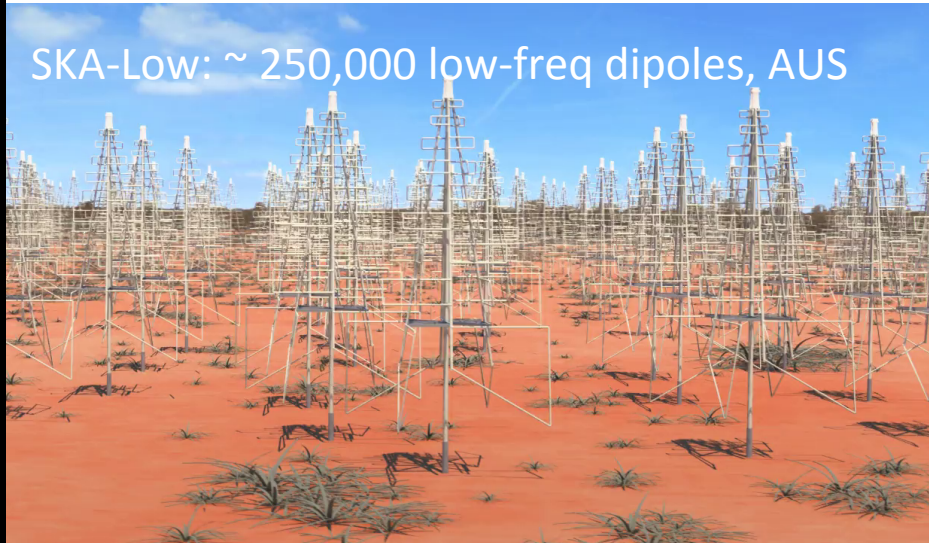


# SKA Phase 1 Before rebaselining



2 sites (South Africa, Australia);  
3 telescopes; one Observatory  
Frequency range SKA1: 50 MHz – 3 GHz

Cost-cap: €650M  
Construction: 2017 – 2023  
Early science: 2020  
Phase 2 SKA: 2023 - 2030

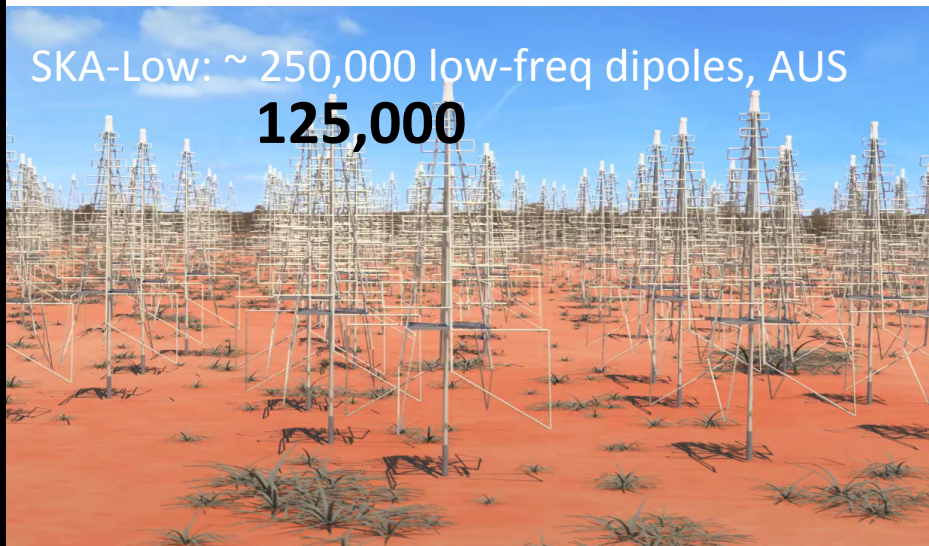
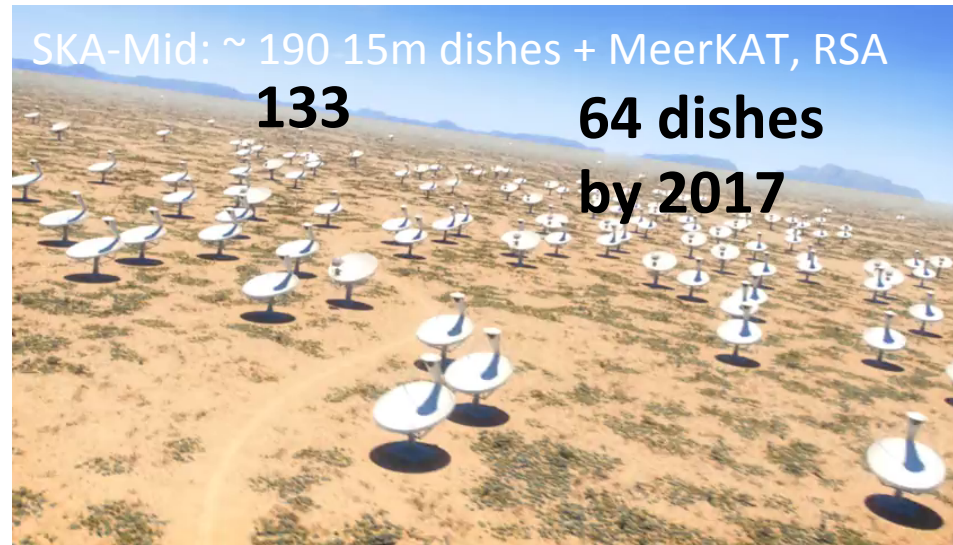


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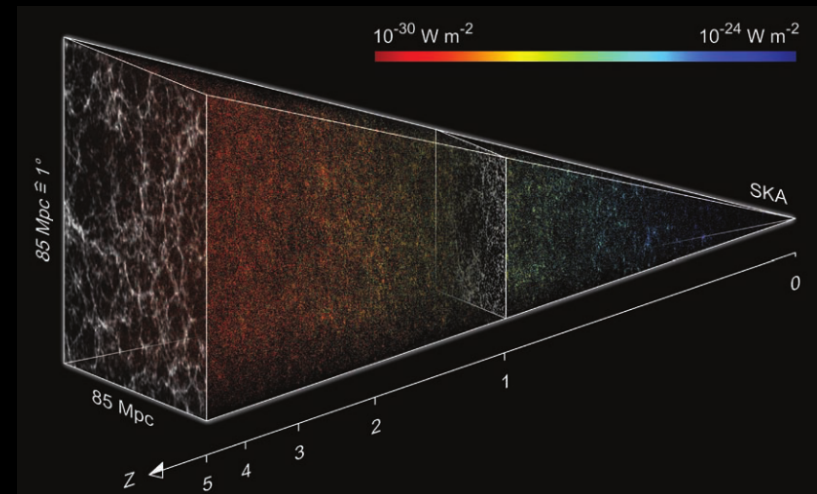
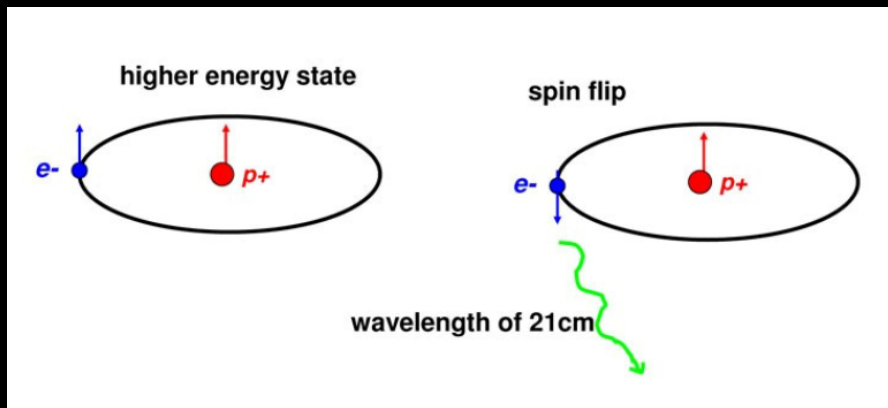


2 of the 64 MeerKAT dishes

# COSMOLOGICAL SURVEYS IN THE RADIO

## HI GALAXY REDSHIFT SURVEY

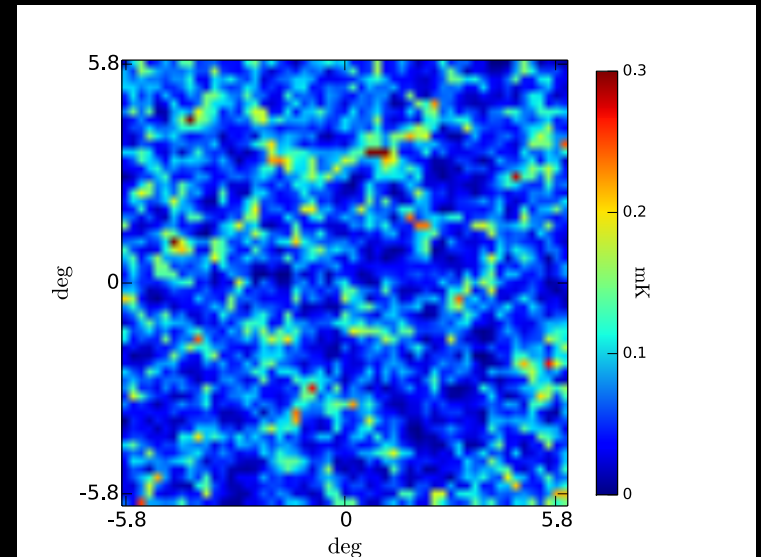
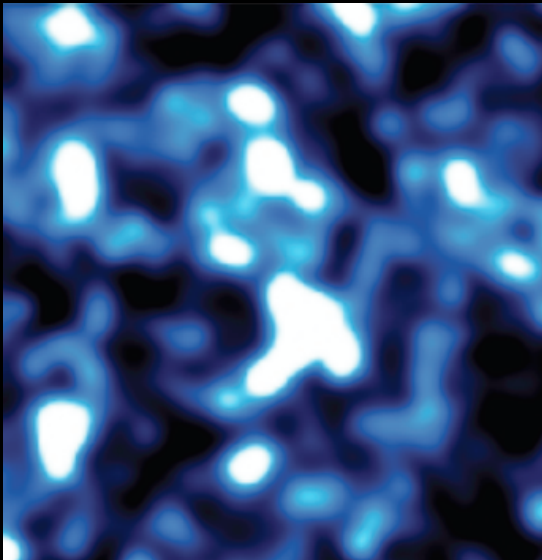
- Neutral Hydrogen emits 21cm/ 1420 MHz in restframe
- Individual HI galaxies detected, very accurate redshifts
- The radio analogue of an optical spectroscopic survey
- No foregrounds, no stellar contamination
- **But** – this needs very high sensitivity



# COSMOLOGICAL SURVEYS IN THE RADIO

## HI INTENSITY MAPPING SURVEY

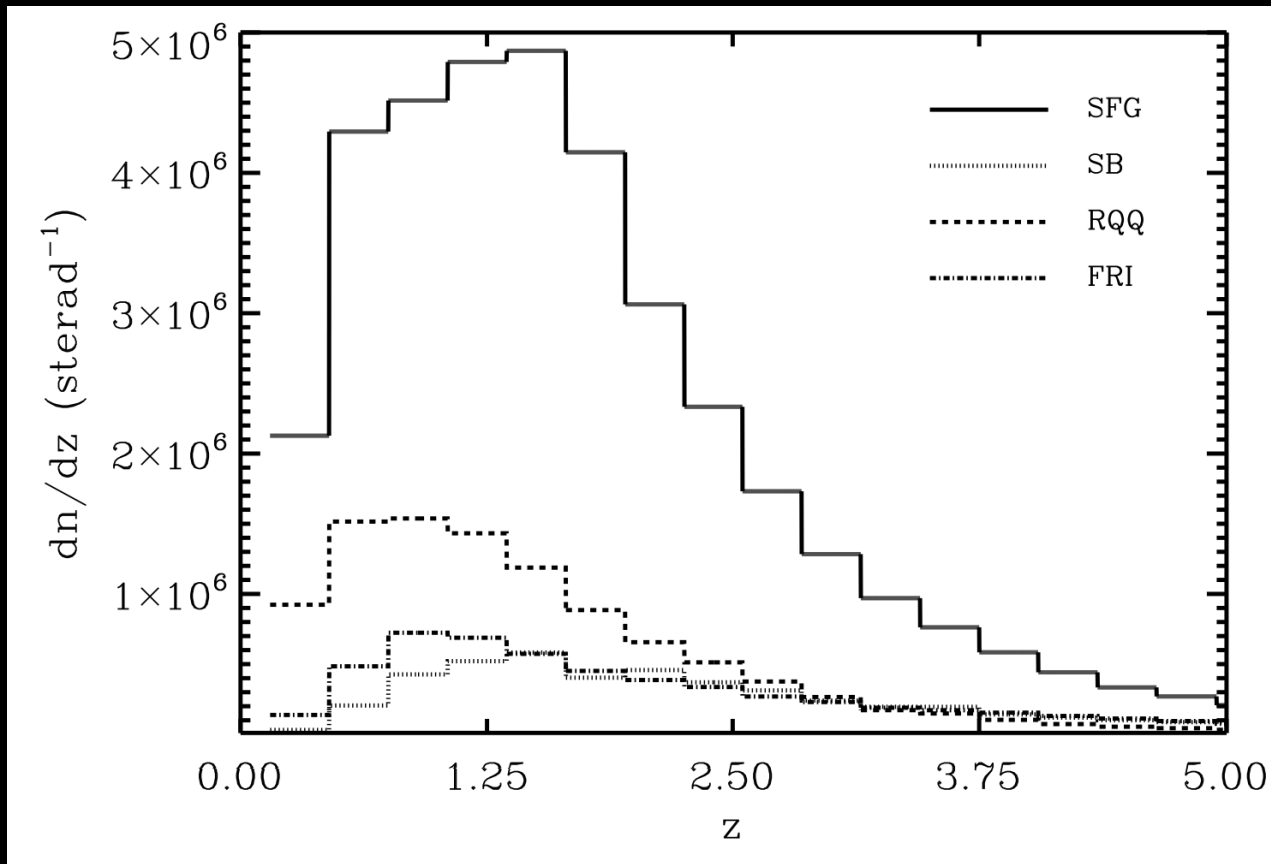
- Individual HI galaxies **not** detected, only integrated HI emission
- Perfectly good for large-scale cosmology (BAO, RSD, PNG)
- Very narrow redshift bins possible
- Like the CMB – but at many redshifts
- Mainly via single-dish auto-correlations
- Major problem of foreground removal (worsens as  $z$  increases)
- Also used in Epoch of Reionization experiments



# COSMOLOGICAL SURVEYS IN THE RADIO

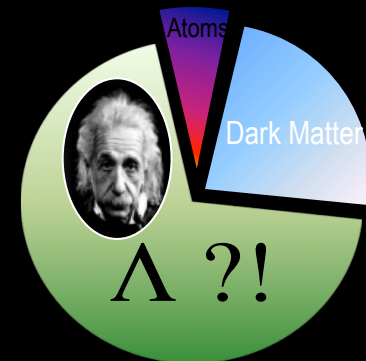
## RADIO CONTINUUM SURVEY

- Total radio emission from galaxies (mainly synchrotron)
- No redshift information – but can get some, using HI or optical data
- Many galaxies at high redshift





# SOME OF THE BIG QUESTIONS



- Is Dark Energy not the vacuum energy  $\Lambda$  – but a dynamical field?

$$w \equiv \frac{p_{\text{de}}}{\rho_{\text{de}}} = w_0 + (1 - a)w_a$$

- Is there no DE? Is acceleration driven by modified gravity? i.e. – does GR fail on the largest cosmological scales?
- Is the primordial spectrum of perturbations non-Gaussian? What does it tell us about Inflation?
- Is the large-scale structure of matter isotropic like the CMB?

**Probes that we use to answer these questions:**

BAO + redshift space distortions + angular power spectra

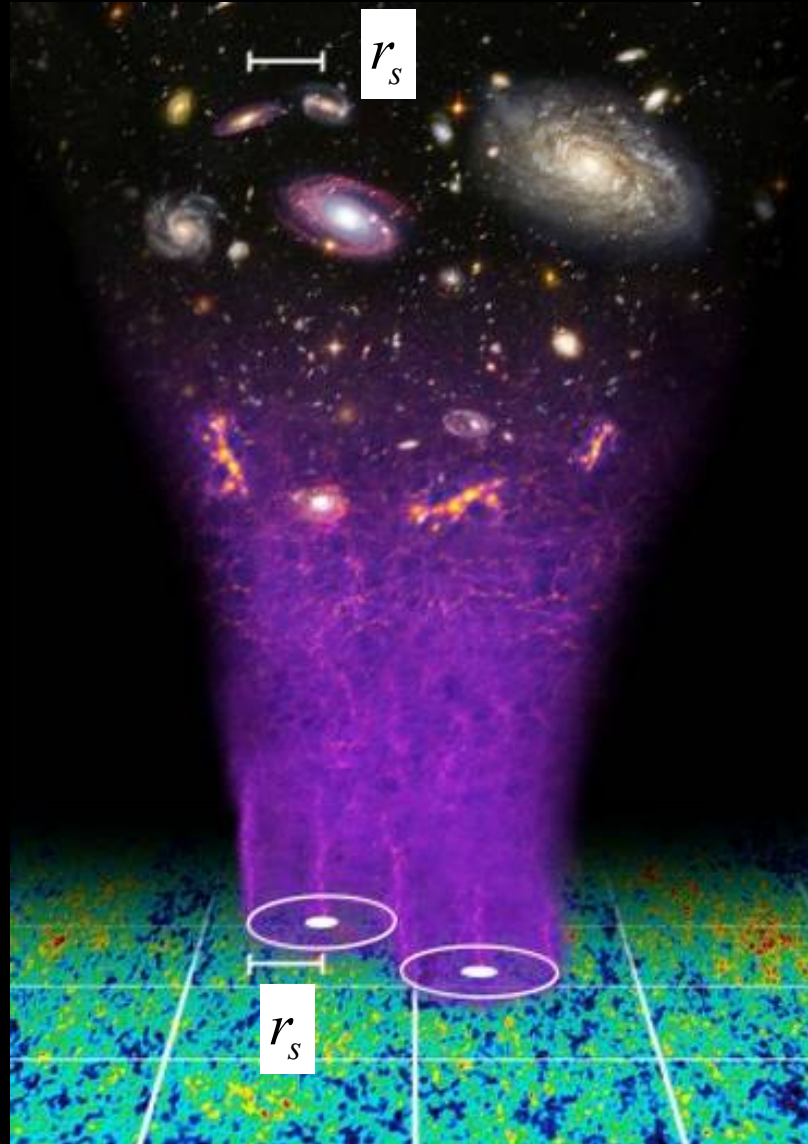
# BAO – a fossil record in the galaxy distribution

galaxy formation

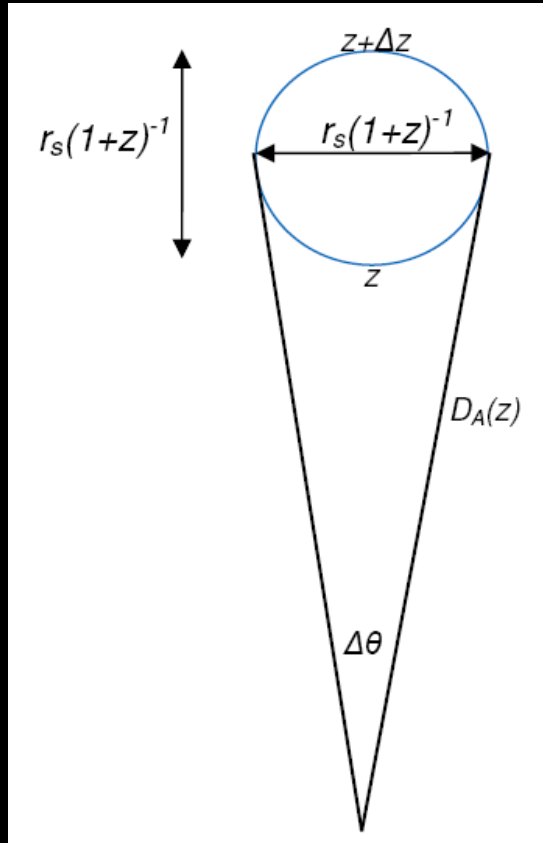
$z < 30$

decoupling

$z = 1100$



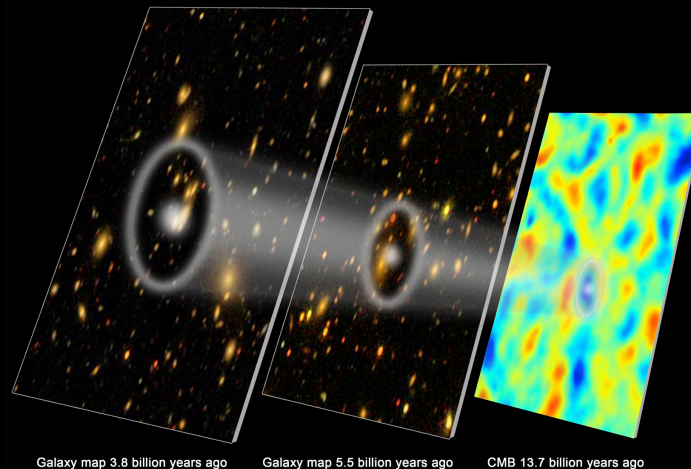
# BAO – a powerful probe of $H(z)$ and $D_A(z)$



$$\frac{r_s}{1+z} = D_A(z)\Delta\theta(z) \quad r_s \approx 100h^{-1} \text{ Mpc}$$

$$\frac{r_s}{1+z} = \frac{\Delta z}{(1+z)H(z)}$$

Measure  $\Delta\theta(z)$  and  $\Delta z$   
Deduce  $D_A(z)$  and  $H(z)$

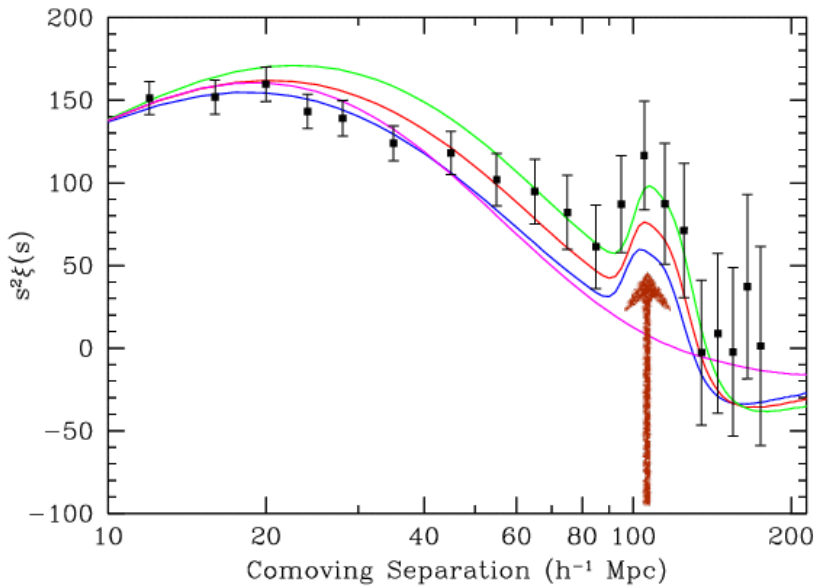
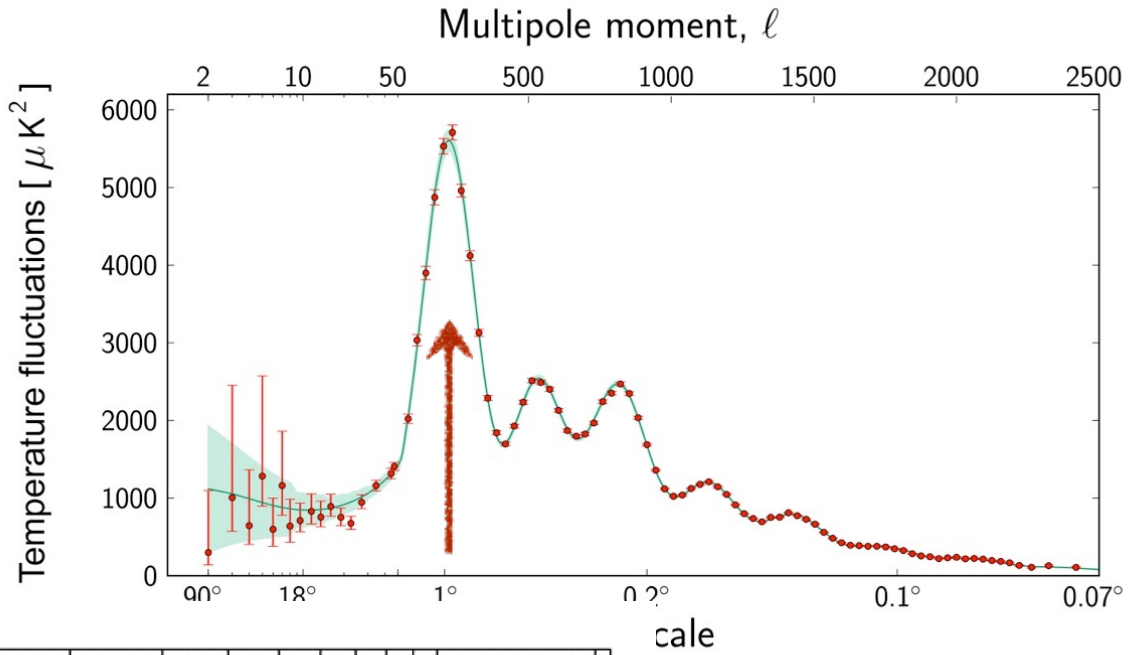


Galaxy map 3.8 billion years ago

Galaxy map 5.5 billion years ago

CMB 13.7 billion years ago

CMB



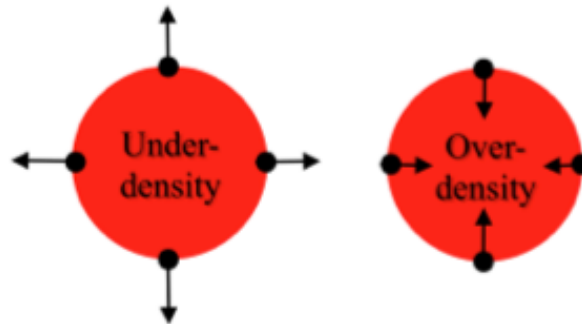
Galaxy correlations

# Redshift space distortions

The average motion of galaxies relative to us is given by the Hubble expansion.

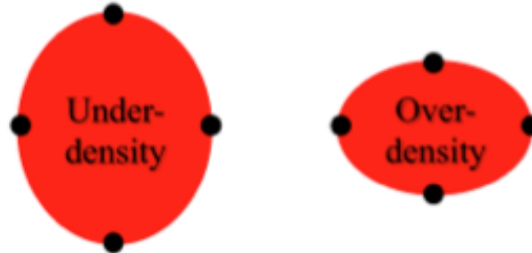
Over-dense regions (eg galaxy clusters) and under-dense regions (eg voids) induce additional peculiar velocities relative to the Hubble flow.

Real space



Actual shape

Redshift space



Apparent shape  
(viewed from below)

## The Kaiser formula

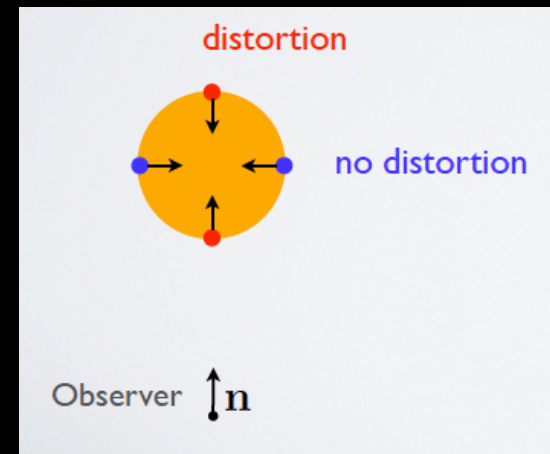
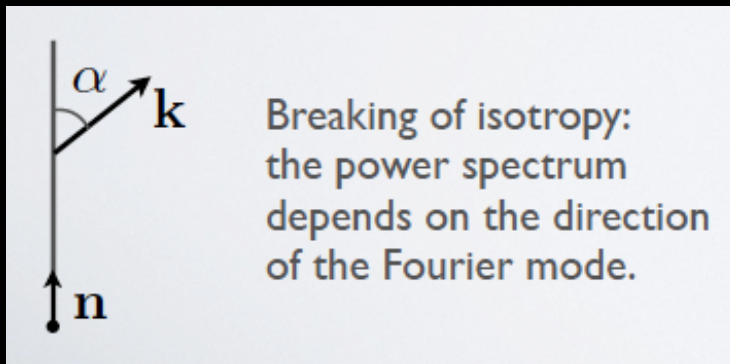
$$\delta_{g \text{ obs}} = (b + f\mu^2)\delta_m$$

where

$$\mu = \mathbf{n} \cdot \hat{\mathbf{k}} = \frac{k_{\parallel}}{k} = \cos \alpha \qquad f = \frac{d \ln \delta_m}{d \ln a}$$

leading to the power spectrum:

$$P_{g \text{ obs}}(\eta, k, \mu) = (b + f\mu^2)^2 P_m(\eta, k)$$



Measuring the monopole and quadrupole allow us to separately extract  $b$  and  $f$  (up to a normalization of the power spectrum).

The growth rate  $f$  is a good diagnostic of deviations from LCDM and also from GR.

Parametrization:

$$f(\eta, \mathbf{k}) = [\Omega_m(\eta)]^{\gamma(\eta, \mathbf{k})}$$

In LCDM, and dynamical DE where the clustering of DE is negligible,

$$\gamma \approx 0.55$$

A significant deviation from this value could indicate a breakdown of GR

# SKA COSMOLOGICAL SURVEYS

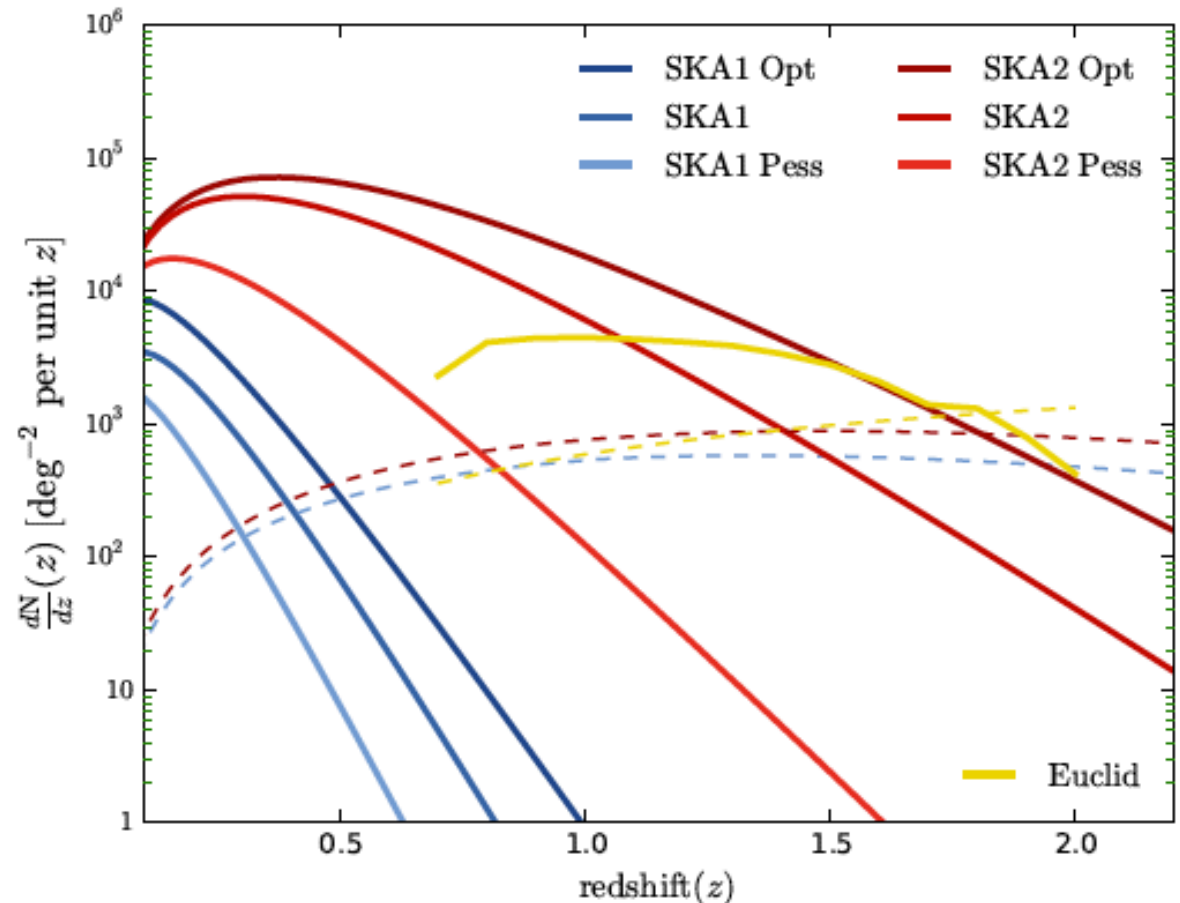
## HI GALAXY REDSHIFT SURVEY

- SKA1 – 10 million galaxies, 5000 deg<sup>2</sup> , z<0.6
- SKA2 – 1 billion galaxies, 30000 deg<sup>2</sup> , z<2

SKA1 will not be a game-changer but will provide excellent complement to optical surveys

SKA2 will be a game-changer

(Yahya et al 2015)





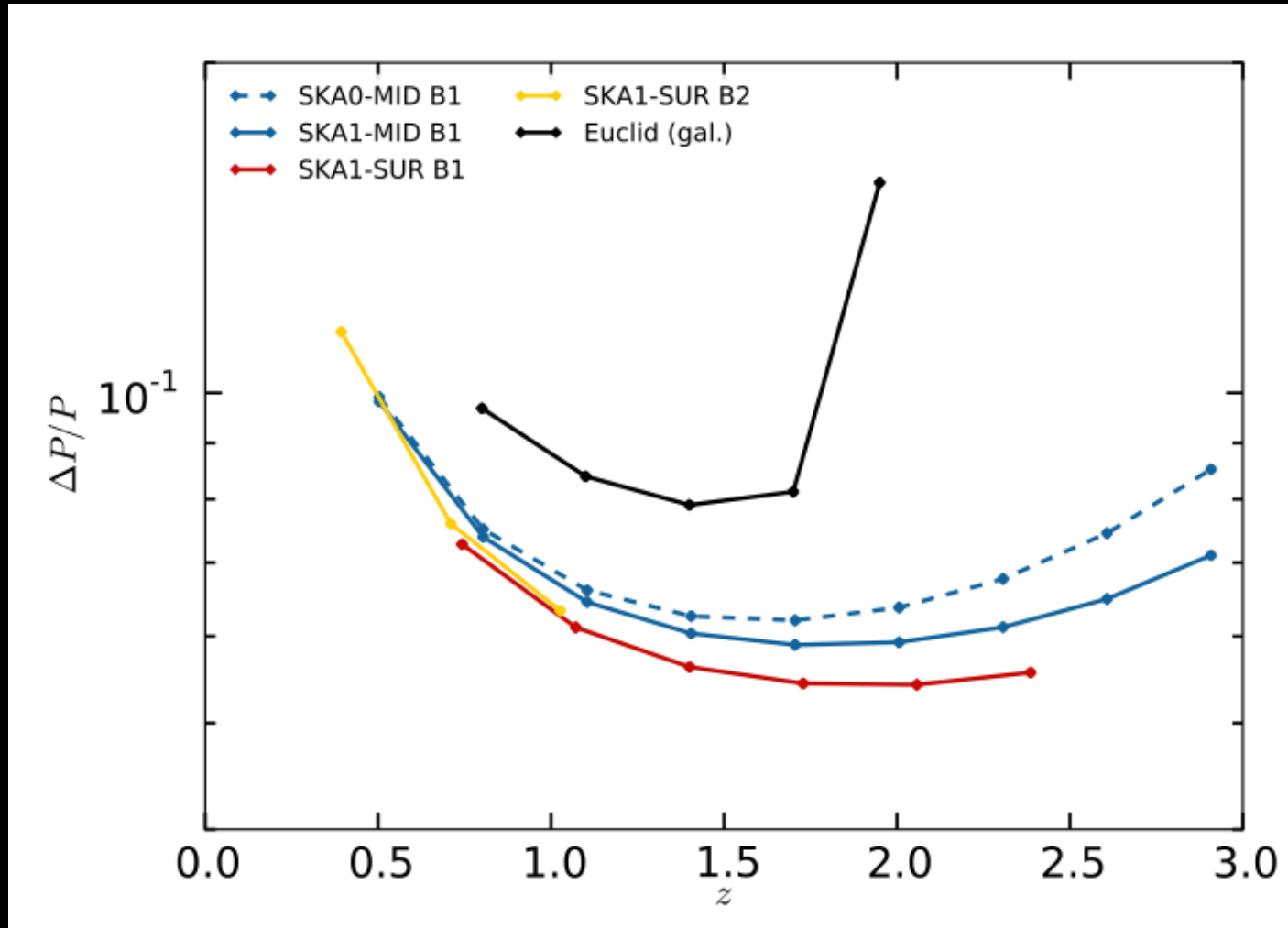
# SKA COSMOLOGICAL SURVEYS

## HI INTENSITY MAPPING SURVEY SKA1 – 30000 deg<sup>2</sup> , $z < 3$

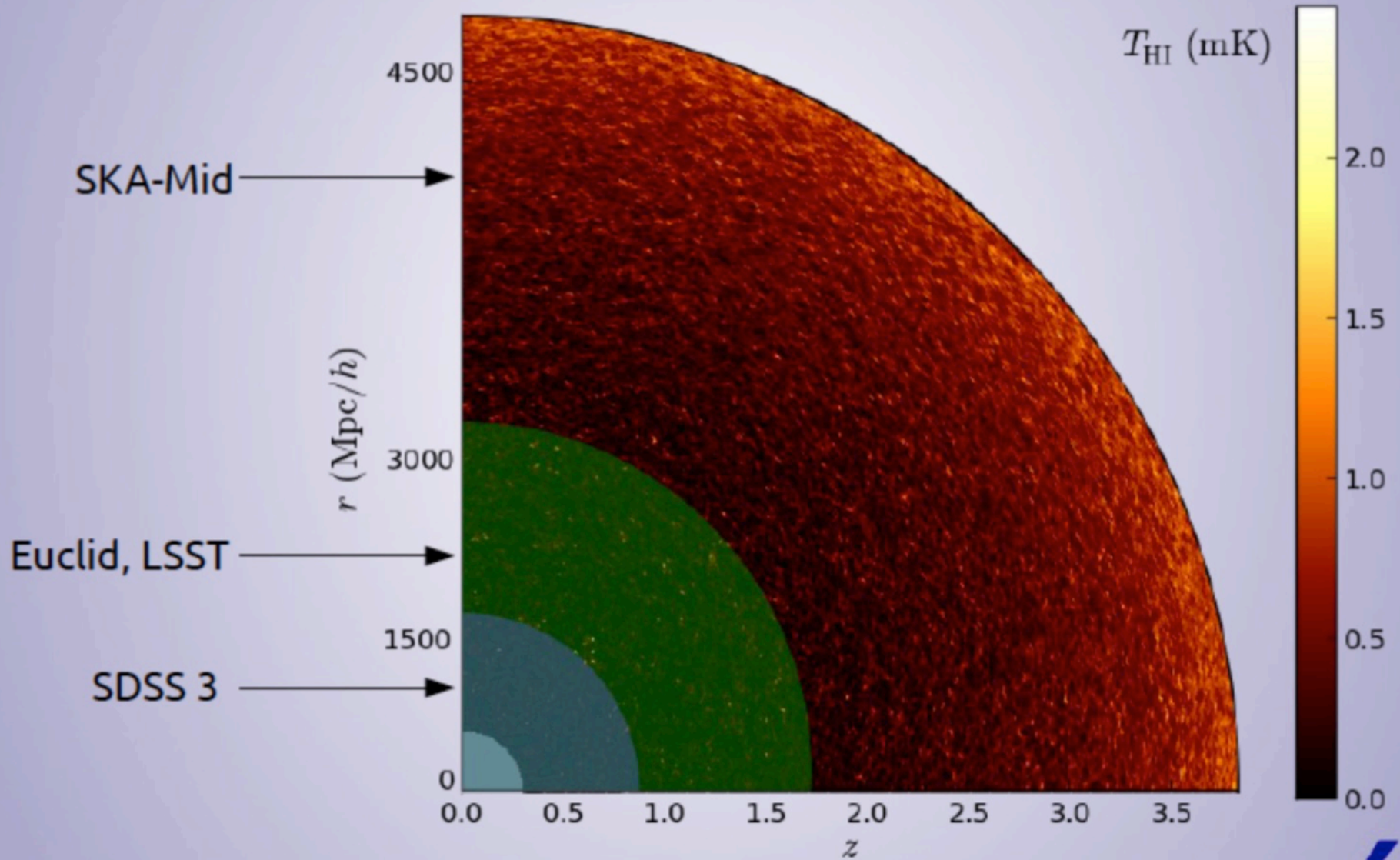
Wide area and deep redshift – can measure very large scales with game-changing precision.

Error over signal on  $P(k)$  at  $k \sim 0.01/\text{Mpc}$  – beyond turnover scale

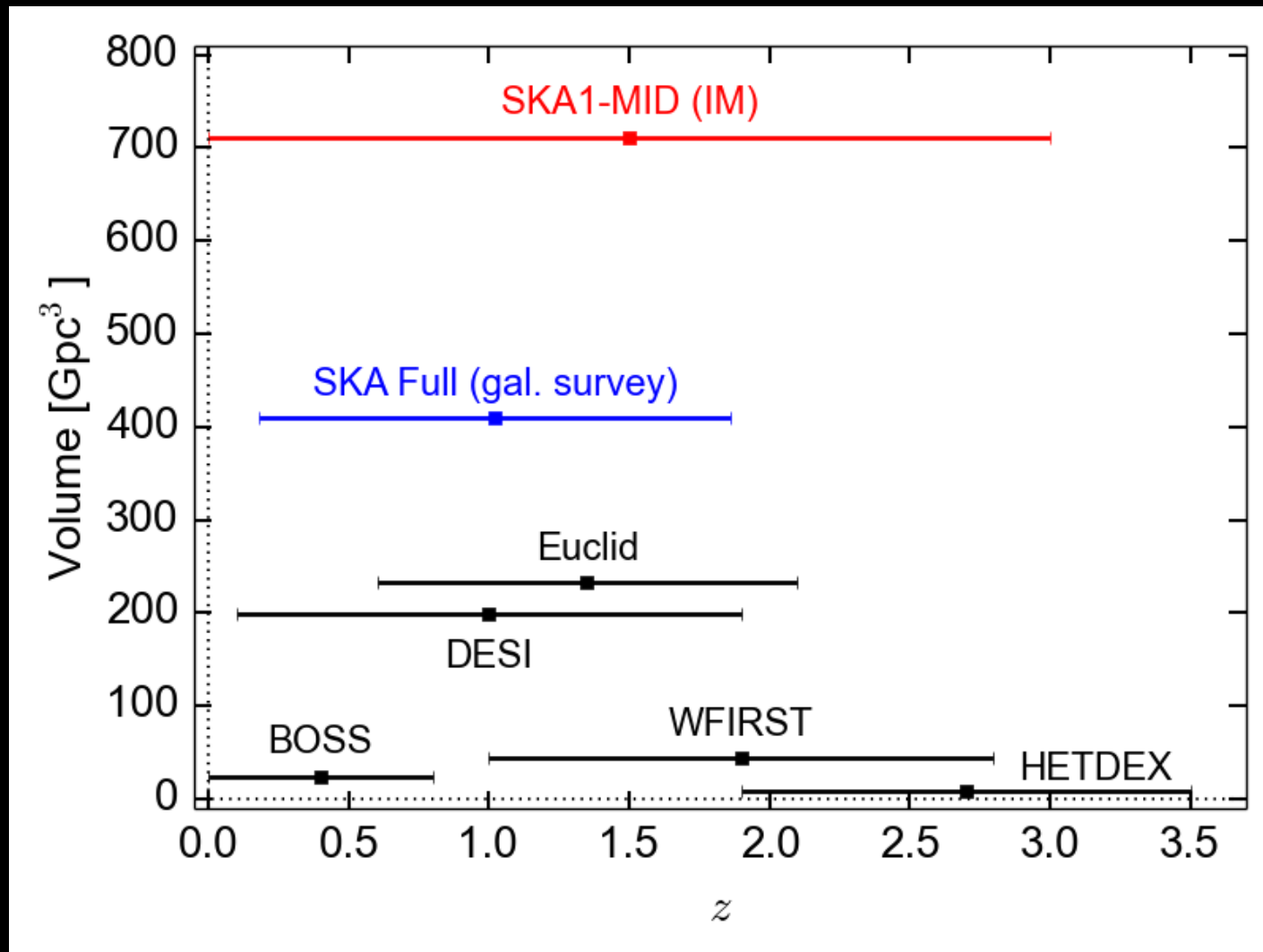
(Bull et al 2015)



# Huge volume of SKA1 intensity mapping

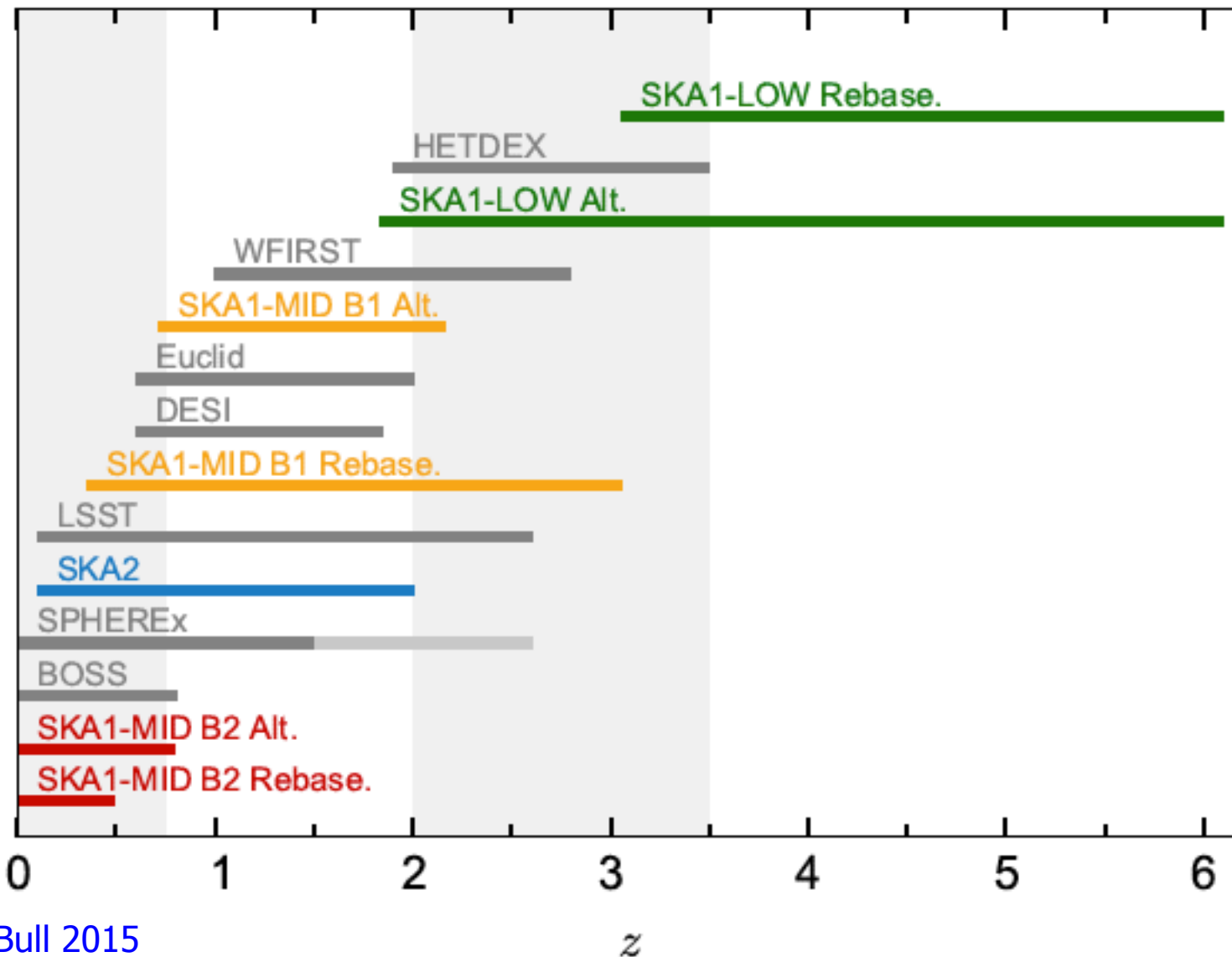


# Volume of different surveys



(Maartens et al 2014)

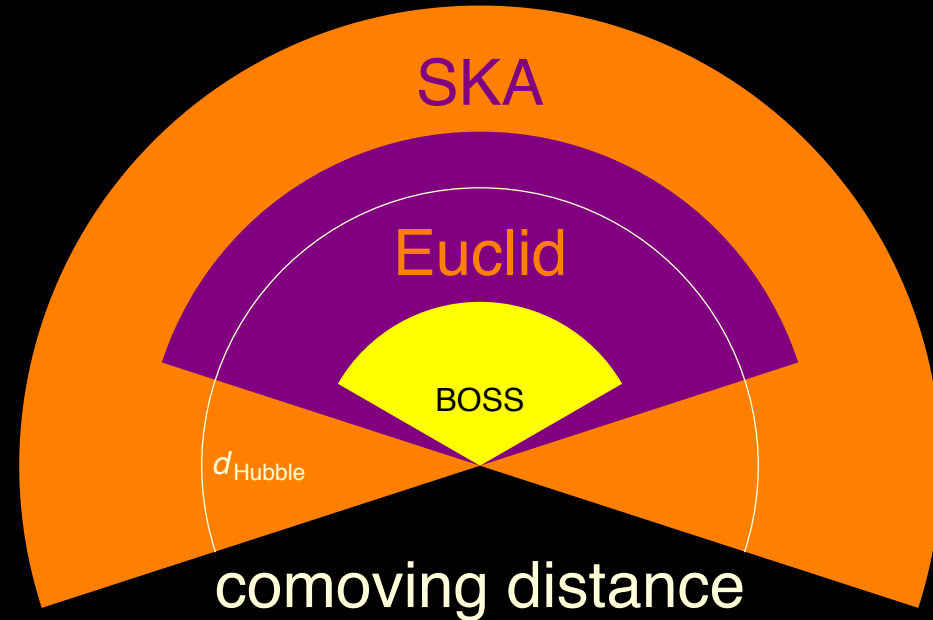
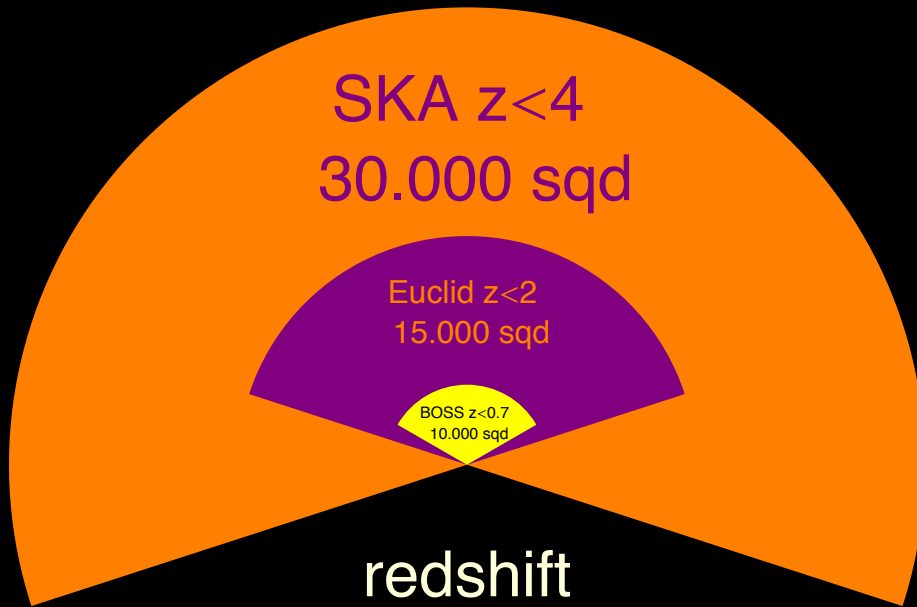
# Redshift reach of spectroscopic SKA and optical/IR



# SKA COSMOLOGICAL SURVEYS

## CONTINUUM SURVEY

- SKA1 – 100 million galaxies, 30000 deg<sup>2</sup>
- SKA2 – 2 billion galaxies, 30000 deg<sup>2</sup>

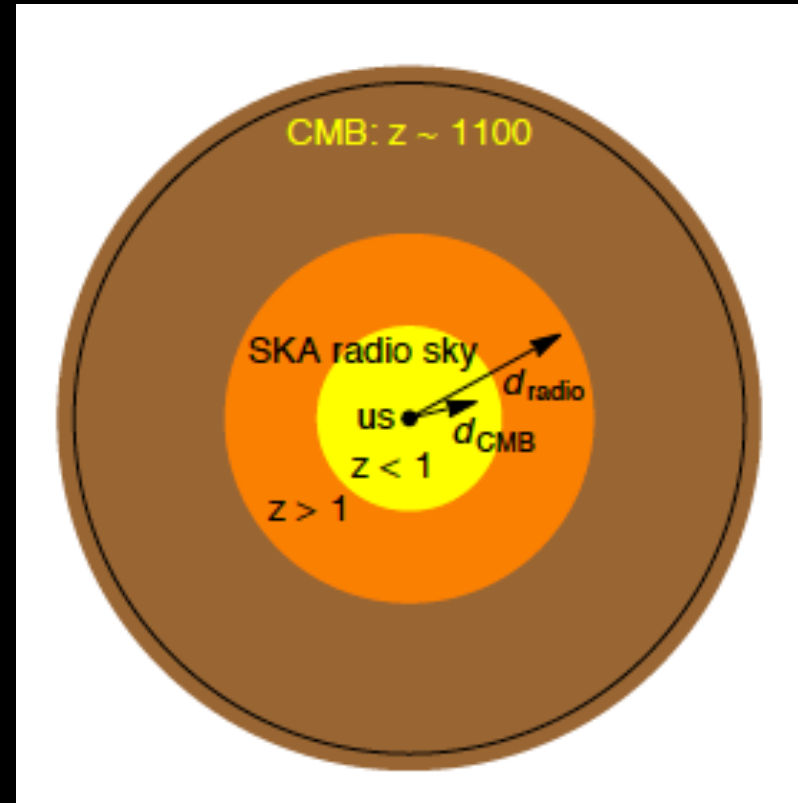


# Consistency between galaxies & CMB

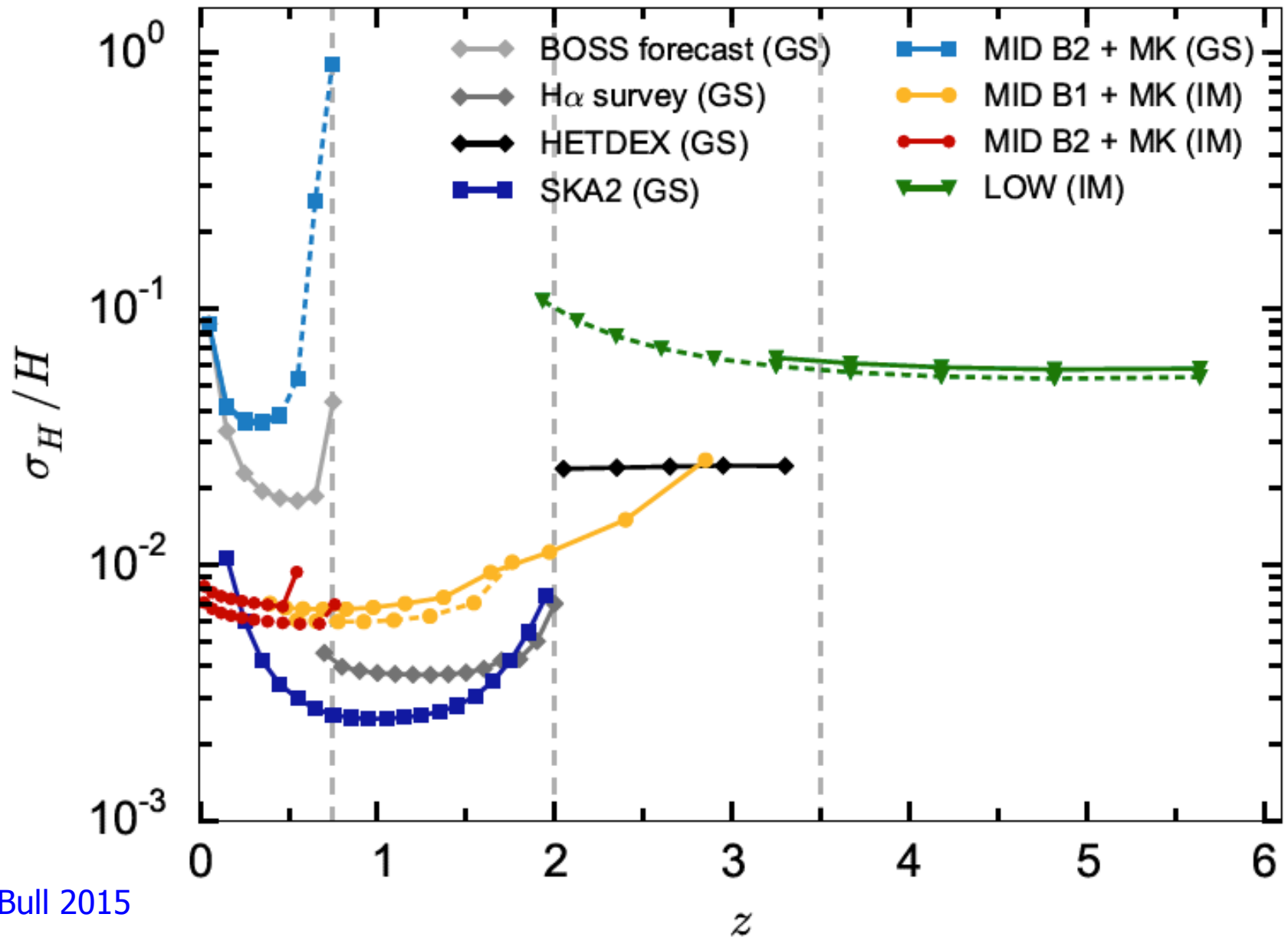
In standard cosmology, the dipole of the matter distribution should agree with the dipole of the CMB.

NVSS all-sky radio survey shows consistency in direction (within very large error bars) but not amplitude.

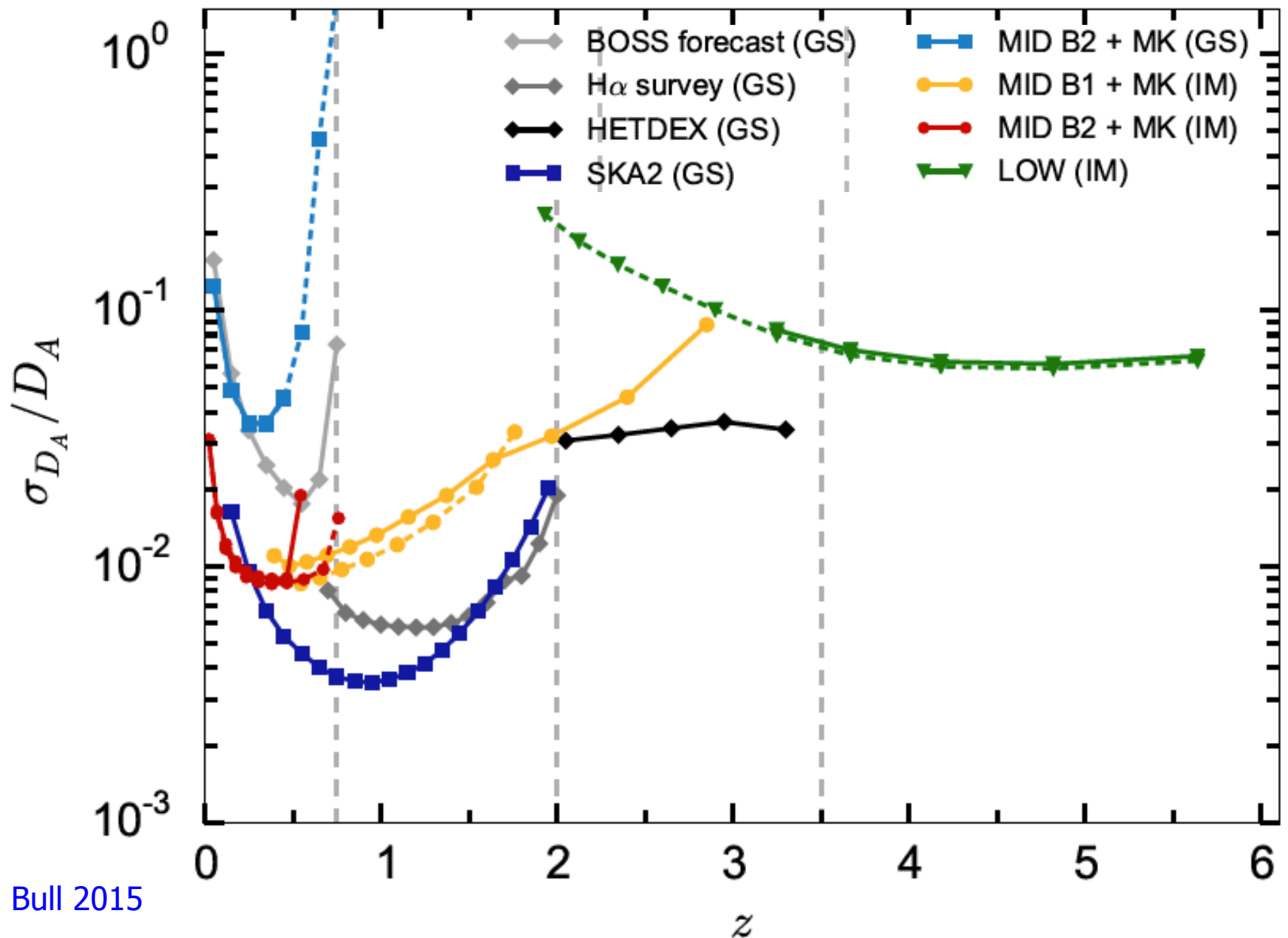
SKA angular correlation function (100's millions galaxies) will be able to detect dipole within  $\sim 5^\circ$  (Phase 1) and  $\sim 1^\circ$  (Phase 2).



# BAO precision – radial

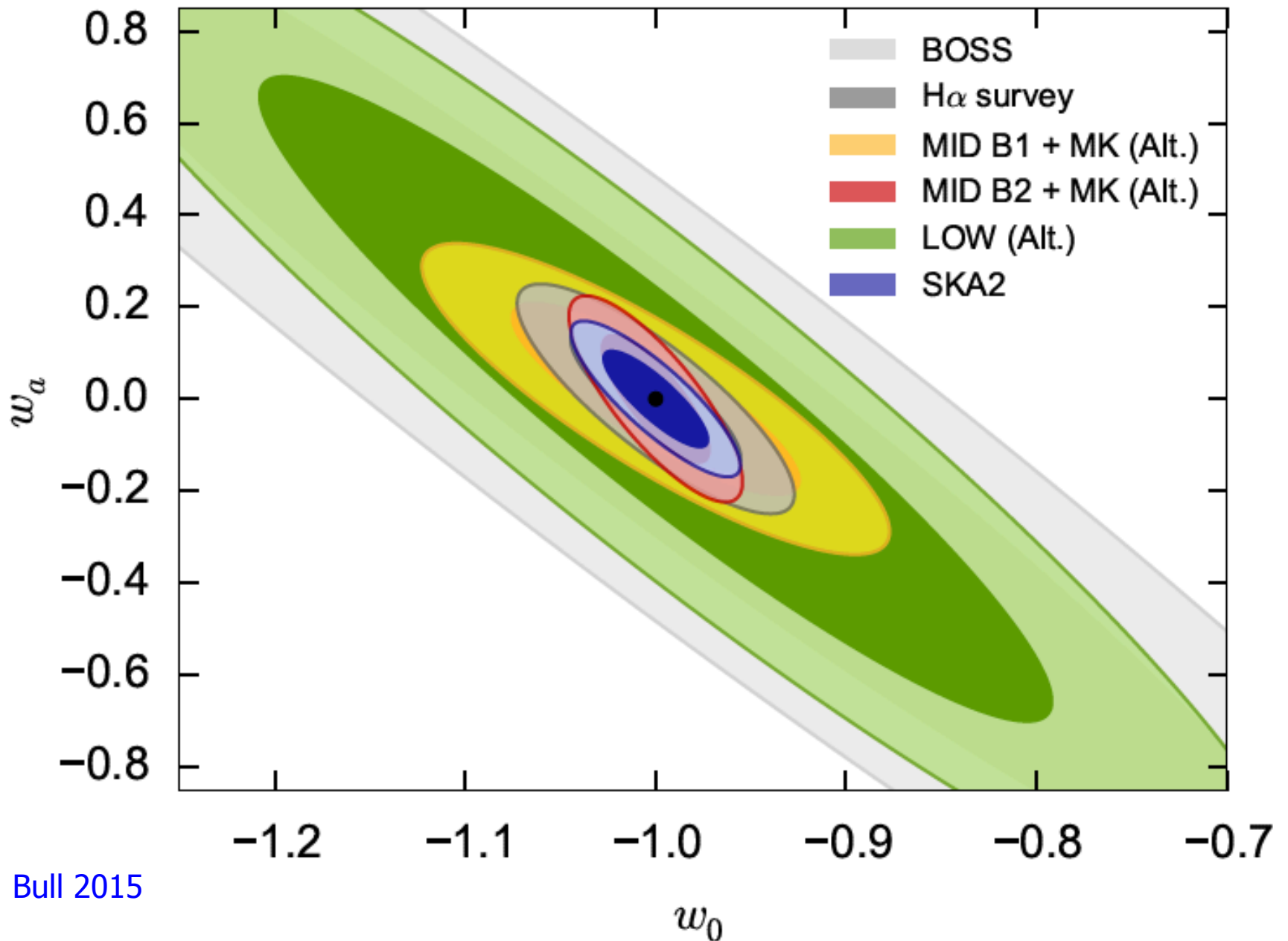


# BAO precision – transverse

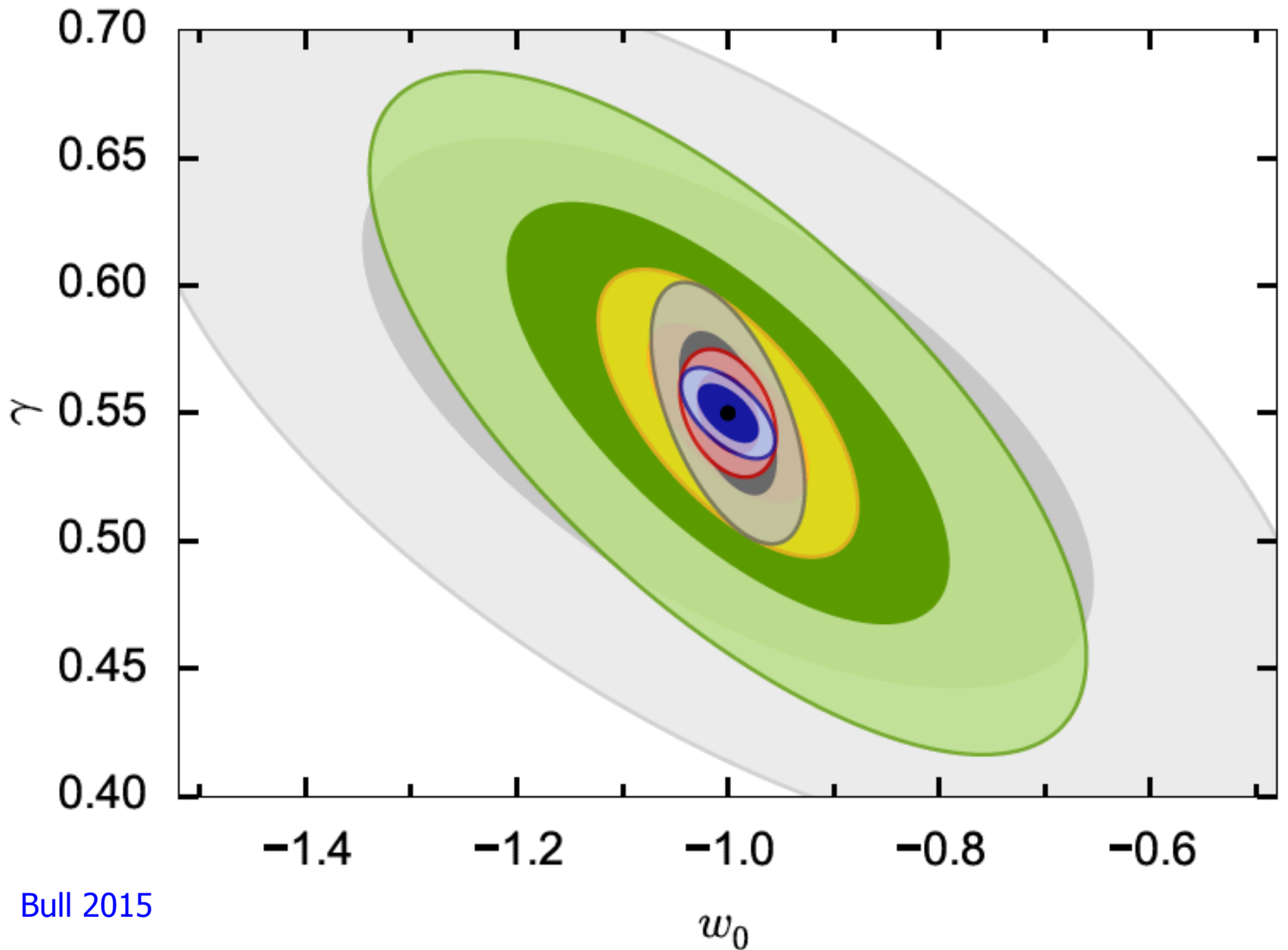




# Probing Dark Energy using RSD



# Testing General Relativity using RSD

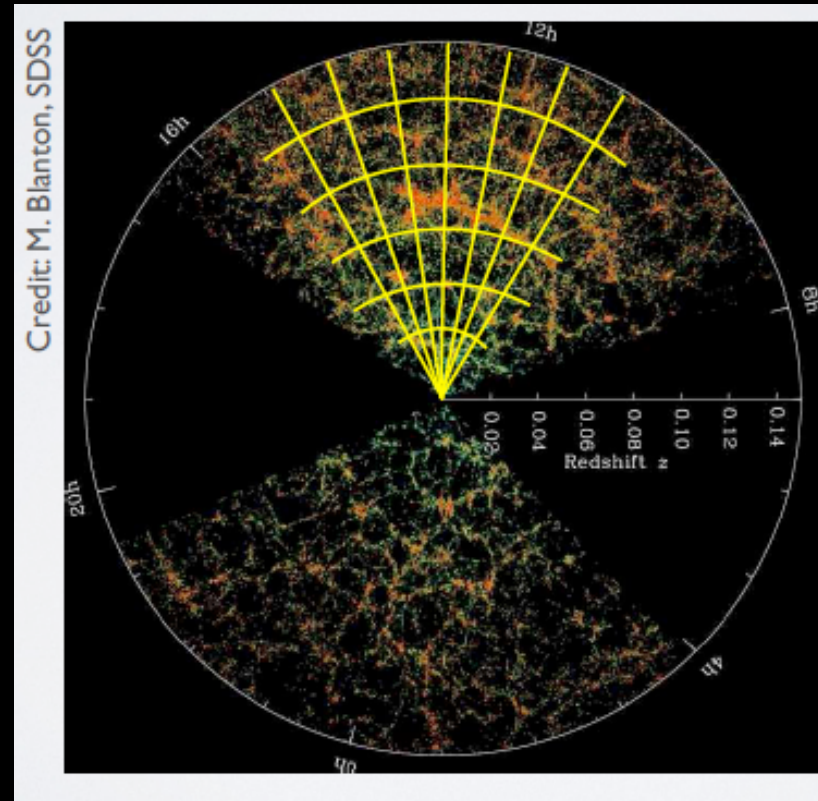


# Observed galaxy counts on the largest scales

We count the number of galaxies per pixel:

Angular position  $\mathbf{n}$       Redshift  $z$

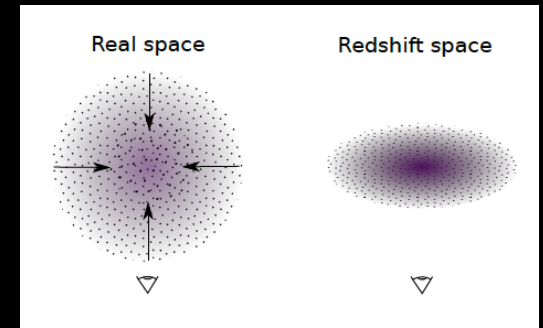
$$N(\mathbf{n}, z) d\Omega_{\mathbf{n}} dz$$



How do we describe the count fluctuations theoretically?

We need the correct bias definition  
(in synchronous gauge) plus RSD:

$$\delta_{\text{obs}} = b\Delta_m - \frac{1}{\mathcal{H}} \partial_{\chi}(\mathbf{n} \cdot \mathbf{v}_m)$$



There are additional terms from redshift perturbations and volume perturbations. Start with **lensing**:

Distant galaxies are magnified by intervening matter. The number density of lensed galaxies is related to the unlensed number density by

$$n_g = \frac{\bar{n}_g}{\mu} \approx \bar{n}_g(1 - 2\kappa)$$

where we neglect magnification bias and the lensing convergence is

$$\kappa = -\frac{1}{2} \nabla_{\mathbf{n}}^2 \int_{\eta_0}^{\eta} d\tilde{\eta} \frac{(\tilde{\eta} - \eta)}{(\eta_0 - \eta)(\eta_0 - \tilde{\eta})} (\Phi + \Psi).$$

This leads to a lensing contribution to the number counts:

$$\delta_{\text{obs}} = b\Delta_m - \frac{1}{\mathcal{H}}\partial_\chi(\mathbf{n} \cdot \mathbf{v}_m) - 2\kappa$$

- **RSD** allow us to effectively measure peculiar **velocities**
- Lensing convergence allows us to effectively measure the **lensing potential** from **number counts**  
(Alonso et al 2015, Montanari & Durrer 2015)

This offers a possible new way to measure the lensing potential – without the need to measure **shapes or sizes or magnitudes** of galaxies.

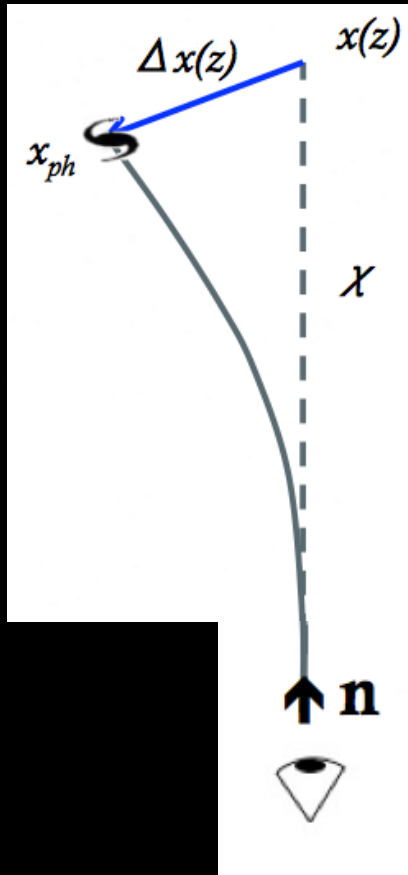
What **other contributions** are there to  $\delta_{\text{obs}}$  ?

Gravitational redshift?

Thinking of the CMB – what about Sachs-Wolfe and ISW effects? And time-delay?

These (and some other terms) are all present – but they are only non-negligible on horizon scales.

We need to consider the full perturbed lightray equation, including the perturbation of the direction vector.



$$(\delta\theta, \delta\varphi) = (\theta_S - \theta_O, \varphi_S - \varphi_O)$$

$$\frac{\delta z}{1 + \bar{z}} = \mathbf{n} \cdot \mathbf{v} - \Phi - \int^{\eta_o} d\eta (\Phi' + \Psi')$$

These effects have been computed:

Yoo, Fitzpatrick, Zaldarriaga 2009; Yoo 2010;  
Bonvin, Durrer 2011; Challinor, Lewis 2011

Notation change:  $\delta_{\text{obs}} \rightarrow \Delta$ ,  $\Delta_m \rightarrow D$ ,  $\chi \rightarrow r$ ,

$$\begin{aligned}
 \Delta(z, \mathbf{n}) = & \overset{\text{density}}{\uparrow} b \cdot \overset{\text{redshift-space distortion}}{\uparrow} D - \frac{1}{\mathcal{H}} \partial_r (\mathbf{V} \cdot \mathbf{n}) \\
 & - \int_0^r dr' \frac{r-r'}{rr'} \Delta_\Omega (\Phi + \Psi) \quad \uparrow \text{lensing} \\
 & + \left( 1 - \frac{\dot{\mathcal{H}}}{\mathcal{H}^2} - \frac{2}{r\mathcal{H}} \right) \mathbf{V} \cdot \mathbf{n} + \frac{1}{\mathcal{H}} \dot{\mathbf{V}} \cdot \mathbf{n} + \frac{1}{\mathcal{H}} \partial_r \Psi \quad \uparrow \text{gravitational redshift} \\
 & + \Psi - 2\Phi + \frac{1}{\mathcal{H}} \dot{\Phi} - 3 \frac{\mathcal{H}}{k} V + \frac{2}{r} \int_0^r dr' (\Phi + \Psi) \\
 & + \left( \frac{\dot{\mathcal{H}}}{\mathcal{H}^2} + \frac{2}{r\mathcal{H}} \right) \left[ \Psi + \int_0^r dr' (\dot{\Phi} + \dot{\Psi}) \right] \quad \rightarrow \text{potential}
 \end{aligned}$$

$$ds^2 = -a^2 \left[ (1 + 2\Psi) d\eta^2 + (1 - 2\Phi) \delta_{ij} dx^i dx^j \right]$$



standard expression

$$\Delta(z, \mathbf{n}) = b \cdot D - \frac{1}{\mathcal{H}} \partial_r (\mathbf{V} \cdot \mathbf{n})$$

lensing: important at high  $z$

$$- \int_0^r dr' \frac{r - r'}{rr'} \Delta_\Omega(\Phi + \Psi)$$

relativistic contributions:  
important at large scale

$$+ \left( 1 - \frac{\dot{\mathcal{H}}}{\mathcal{H}^2} - \frac{2}{r\mathcal{H}} \right) \mathbf{V} \cdot \mathbf{n} + \frac{1}{\mathcal{H}} \dot{\mathbf{V}} \cdot \mathbf{n} + \frac{1}{\mathcal{H}} \partial_r \Psi$$

$$\frac{\mathcal{H}}{k} D$$

$$+ \Psi - 2\Phi + \frac{1}{\mathcal{H}} \dot{\Phi} - 3 \frac{\mathcal{H}}{k} V + \frac{2}{r} \int_0^r dr' (\Phi + \Psi)$$

$$\left( \frac{\mathcal{H}}{k} \right)^2 D$$

$$+ \left( \frac{\dot{\mathcal{H}}}{\mathcal{H}^2} + \frac{2}{r\mathcal{H}} \right) \left[ \Psi + \int_0^r dr' (\dot{\Phi} + \dot{\Psi}) \right]$$

New information in the observed overdensity.

Relativistic terms grow on very large scales – but there is **cosmic variance**

# Primordial non-Gaussianity in the galaxy distribution

- Primordial quantum fluctuations generated during Inflation – may be non-Gaussian.
- Primordial non-Gaussianity is 'frozen' on large scales during the expansion of the Universe.
- The effect of PNG of local type is to modify the bias of galaxies relative to the underlying total matter distribution:

$$\Delta_g = b\Delta_m \text{ where } b \rightarrow b + \Delta b, \Delta b \propto f_{\text{NL}}k^{-2}$$

Local PNG thus boosts the clustering of galaxies on very large scales.

The **same** problem of cosmic variance.

And – **degeneracy** between GR effects and PNG

Cosmic variance limits our ability to

- Measure the horizon-scale GR effects
- Measure PNG at the level  $\sigma(f_{NL}) < 1$

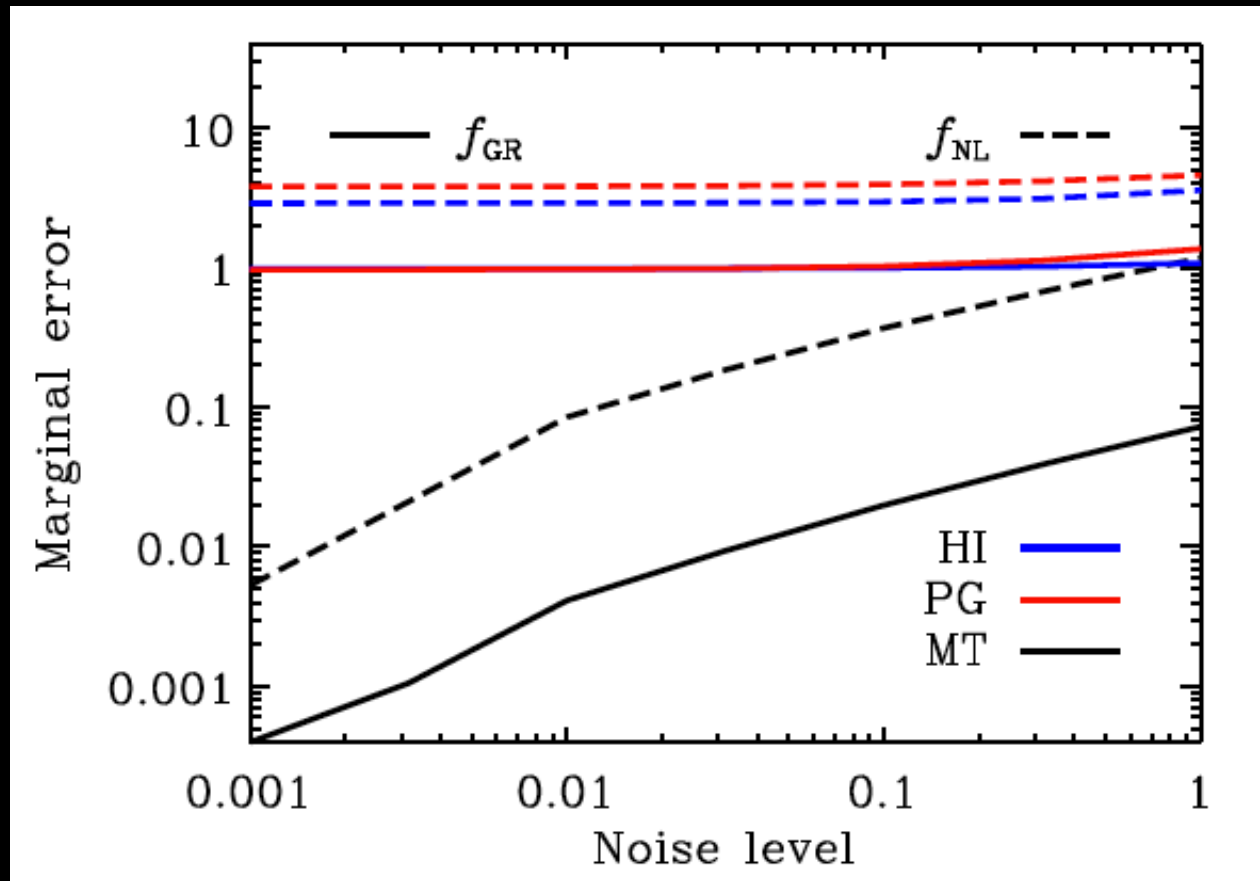
Even the biggest and best future galaxy surveys – Euclid and SKA – will be unable to measure these effects *on their own*.

(Yoo et al 2013, Alonso et al 2015, Raccañelli et al 2015)

However, with the **multi-tracer method** – i.e. using 2 different tracers of the matter stochastic DM distribution – we can detect the horizon-scale GR terms at high confidence, and achieve  $\sigma(f_{NL}) < 1$

(Alonso & Ferreira 2015, Fonseca et al 2015)

# Multi-tracer method – using SKA1 HI intensity mapping + Euclid photometric survey



- New information from the galaxy distribution on horizon scales
- Probe PNG well beyond the CMB precision – new tests of inflation

# THE HEADLINE MESSAGE

## SKA1

- HI intensity mapping survey:
  - precise BAO, RSD up to  $z \sim 3$
  - excellent constraints on DE and modified gravity
  - probe the largest scales ever – non-Gaussianity, modified gravity
- HI galaxy redshift survey:
  - precise RSD at  $z < 0.5$
- Continuum survey:
  - test isotropy of the universe
  - good constraints on non-Gaussianity

## SKA2

- HI redshift survey ('billion galaxy survey') will be the state of the art
- Radio lensing competitive with optical lensing surveys

## SYNERGY

- Radio gives different systematics to optical/ IR – and the combination is stronger than each separately